

HFHF Helmholtz
Forschungsakademie
Hessen für FAIR

DFG Deutsche
Forschungsgemeinschaft

CRC-TR 211

HIC
for **FAIR**
Helmholtz International Center

GOETHE
UNIVERSITÄT
FRANKFURT AM MAIN

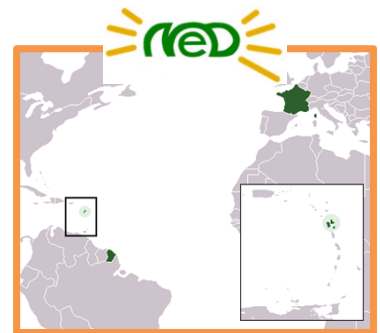


Electromagnetic emission from strongly interacting hadronic and partonic matter

Elena Bratkovskaya
(GSI, Darmstadt & Uni. Frankfurt)

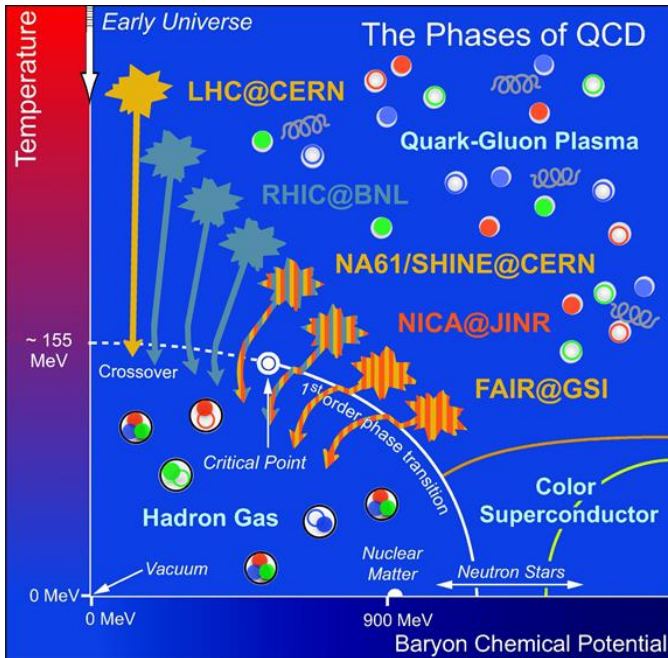


The 11th International Symposium on
'Non-equilibrium Dynamics' (NeD-2026)
Deshaies, Guadeloupe, France,
22 -28 February 2026



Key questions of HICs at NICA energies:

The phase diagram of QCD

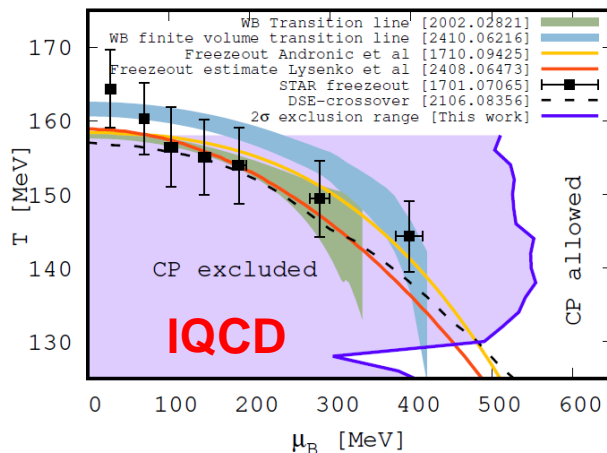


- ❑ What are the **properties of the hot and dense matter** created in HICs?
- ❑ What are the **degrees-of-freedom**, their properties and interactions?

QGP: strongly interacting liquid
→ non-perturbative QCD

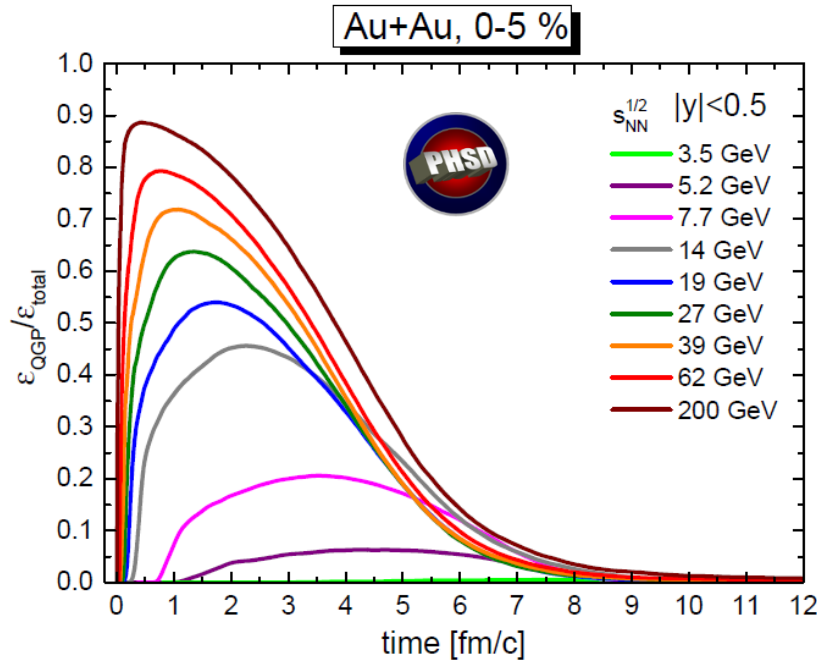
Hadronic matter: highly compressed and hot medium
→ chiral symmetry restoration effects

- ❑ Origin of the **phase transition**:
crossover → ? → 1st order?!
- ❑ **Strong electromagnetic fields** are created during the HICs
→ polarization phenomena

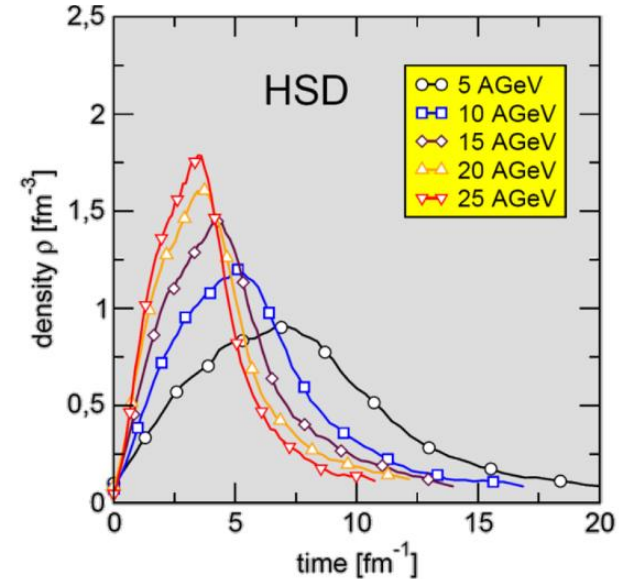


Dense and hot matter created in HICs

Time evolution of the partonic energy fraction



Time evolution of the baryon density ρ



Large energy and baryon densities (above critical $\varepsilon > \varepsilon_{\text{crit}} = 0.4 \text{ GeV}/\text{fm}^3$) are reachable in central reactions at **FAIR/NICA energies***

*small volume of QGP (‘droplets’) at low energies

→ study of the **phase transition** from **hadronic matter** to **QGP**

→ study of **in-medium** modifications of **hadrons**

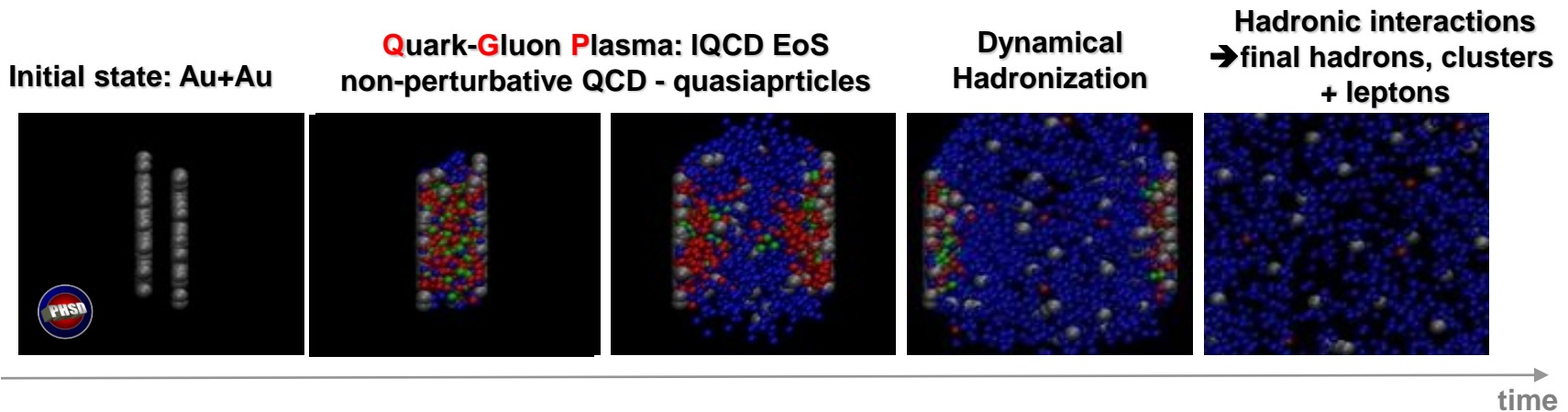
Dynamical description of strongly interacting matter



Goal: Microscopic modeling of heavy-ion collisions

PHSD & PHQMD
Parton-Hadron-String Dynamics & Parton-Hadron-Quantum-Molecular Dynamics

is a **unified non-equilibrium microscopic transport approach** for the description of the dynamics of strongly-interacting **hadronic and partonic matter** created in heavy-ion collisions and $p+A$, $p+p$, $\pi+A$ reactions from SIS to LHC energies



→ provides a **continuous description of the HIC dynamics**:
– no artificial transition from micro- to macro-description as in hydro-type models, no jump in entropy and energy density

* PHSD,PHQMD are open source codes, available for experimental collaborations

PHSD-PHQMD code



PHSD mode

PHQMD mode

Initialization A+A
+ propagation of **baryons**:
Mean Field dynamics
(BUU)

Initialization A+A
+ propagation of **baryons**:
Quantum Molecular dynamics
(QMD) – n-body model

Propagation of partons (quarks, gluons) and mesons:
Mean Field dynamics (Kadanoff-Baym, BUU)

 **Collision integral** = interactions of hadrons and partons (QGP)

Optionally
Cluster recognition: **MST** (Minimum Spanning Tree)
or **SACA** (Simulated Annealing Clusterization Algorithm)
or coalescence mechanism + kinetic deuterons



Final output – “events” : OSCAR, ROOT, Rivet formats

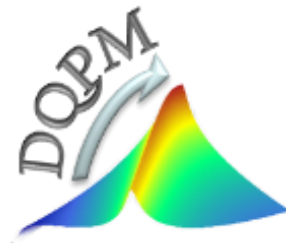
Realization: parallel ensemble method

Computer language: Fortran

QGP near equilibrium

DQPM (T, μ_q):

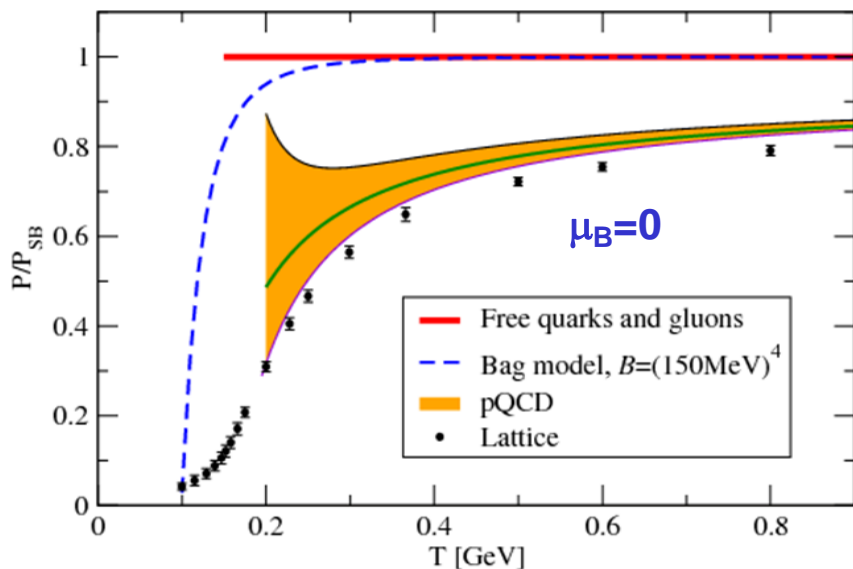
transport properties at finite (T, μ_q)



Degrees-of-freedom of QGP



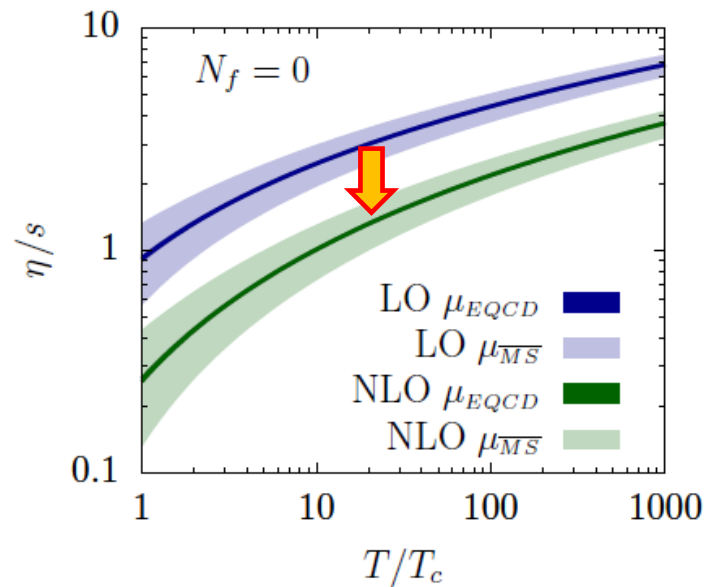
IQCD: QGP EoS at finite μ_B



Non-perturbative QCD \leftarrow pQCD

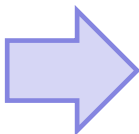
pQCD: (Yang-Mills) shear viscosity η

J. Ghiglieri, G.D. Moore, D. Teaney, JHEP 1803 (2018) 179



pQCD:

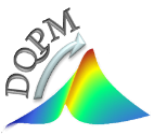
- weakly interacting system
- massless quarks and gluons



Thermal (non-perturbative) QCD:

- strongly interacting system
- massive quarks and gluons

\rightarrow Quasiparticles = effective degrees-of-freedom



Dynamical QuasiParticle Model (DQPM)

DQPM – effective model for the description of **non-perturbative** (strongly interacting) QCD based on **IQCD EoS**

Degrees-of-freedom: strongly interacting **dynamical quasiparticles** - quarks and gluons

Theoretical basis :

□ ,resummed‘ single-particle Green‘s functions → quark (gluon) propagator (2PI) :

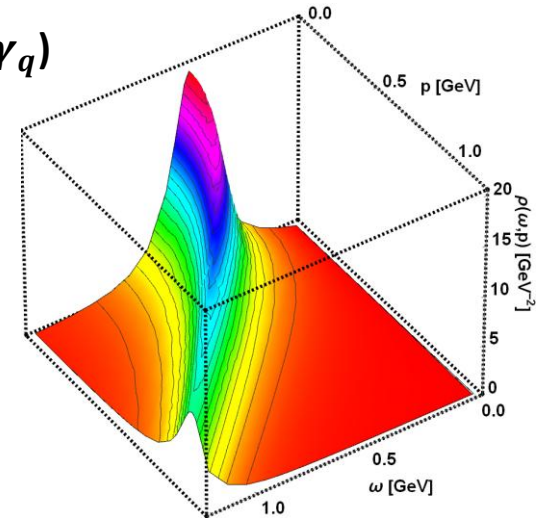
$$\begin{aligned} \text{gluon propagator: } \Delta^{-1} = P^2 - \Pi \quad & \& \quad \text{quark propagator } S_q^{-1} = P^2 - \Sigma_q \\ \text{gluon self-energy: } \Pi = M_g^2 - i2\gamma_g\omega \quad & \& \quad \text{quark self-energy: } \Sigma_q = M_q^2 - i2\gamma_q\omega \end{aligned}$$

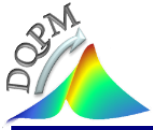
Properties of the quasiparticles are specified by scalar **complex self-energies:**

$Re\Sigma_q$: **thermal masses** (M_g, M_q); $Im\Sigma_q$: **interaction widths** (γ_g, γ_q)

→ spectral functions $\rho_q = -2ImS_q$ → Lorentzian form:

$$\begin{aligned} \rho_j(\omega, \mathbf{p}) &= \frac{\gamma_j}{\tilde{E}_j} \left(\frac{1}{(\omega - \tilde{E}_j)^2 + \gamma_j^2} - \frac{1}{(\omega + \tilde{E}_j)^2 + \gamma_j^2} \right) \\ &\equiv \frac{4\omega\gamma_j}{(\omega^2 - \mathbf{p}^2 - M_j^2)^2 + 4\gamma_j^2\omega^2} \quad \tilde{E}_j^2(\mathbf{p}) = \mathbf{p}^2 + M_j^2 - \gamma_j^2 \end{aligned}$$





DQPM: parton properties

Realization concept:

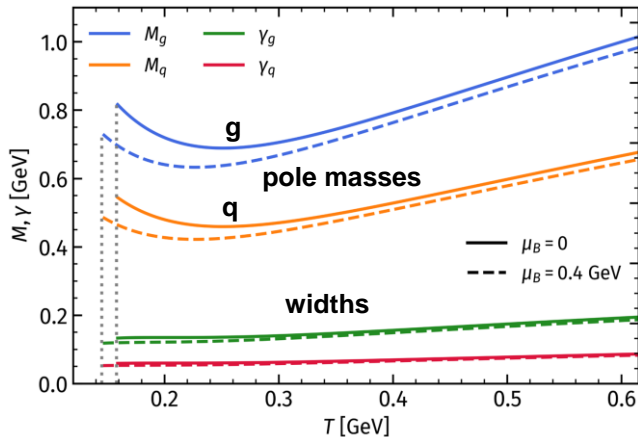
- introduce an **ansatz** (HTL; with few parameters) for the (T, μ_B) dependence of masses/widths
- evaluate the **QGP thermodynamics** in equilibrium using the Kadanoff-Baym theory
- fix DQPM parameters by comparison of the DQPM entropy density to **IQCD** at $\mu_B=0$

- Masses and widths** of quasiparticles depend on T and μ_B

$$m_g^2(T, \mu_B) = C_g \frac{g^2(T, \mu_B)}{6} T^2 \left(1 + \frac{N_f}{2N_c} + \frac{1}{2} \frac{\sum_q \mu_q^2}{T^2 \pi^2} \right)$$

$$m_{q(\bar{q})}^2(T, \mu_B) = C_q \frac{g^2(T, \mu_B)}{4} T^2 \left(1 + \frac{\mu_q^2}{T^2 \pi^2} \right)$$

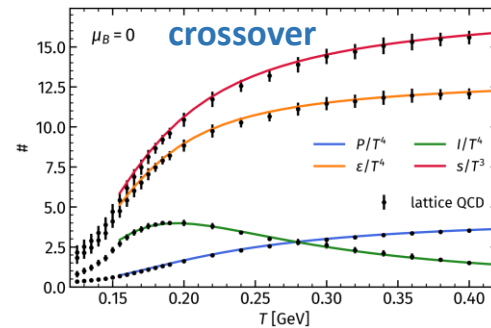
$$\gamma_j(T, \mu_B) = \frac{1}{3} C_j \frac{g^2(T, \mu_B) T}{8\pi} \ln \left(\frac{2c_m}{g^2(T, \mu_B)} + 1 \right)$$



→ **DQPM** :

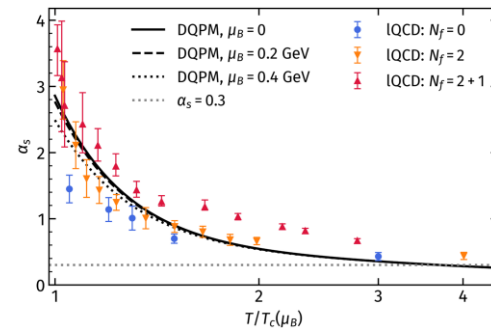
only **one parameter** ($c = 14.4$) + (T, μ_B) - dependent **coupling constant** has to be determined from lattice results

- Strong coupling** (g) is defined from **IQCD entropy density** at $\mu_B=0$, using $\frac{\partial}{\partial T} \left(\frac{S_{DQPM}}{T^3} \right) = 0$



$$g^2(s/s_{SB}) = d((s/s_{SB})^e - 1)^f$$

$$s_{SB}^{QCD} = 19/9 \pi^2 T^3$$



$$\alpha_s = g^2(T, \mu_B)/(4\pi)$$

DQPM at finite (T, μ_q) : scaling hypothesis

- Scaling hypothesis for the effective temperature T^* for $N_f = N_c = 3$

W. Cassing, NPA 791 (2007) 365

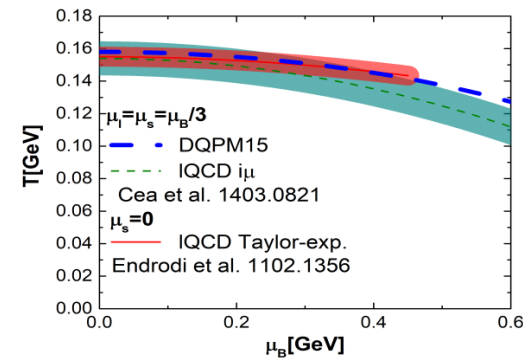
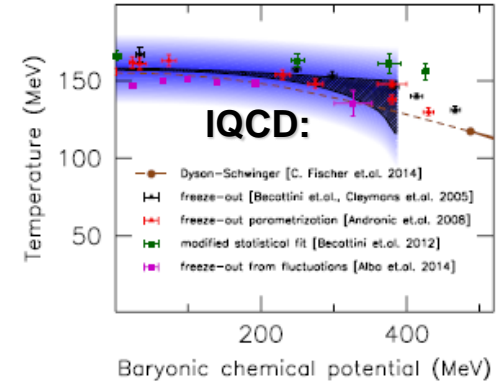
$$\mu_u = \mu_d = \mu_s = \mu_q$$

$$T^{*2} = T^2 + \frac{\mu_q^2}{\pi^2}$$

- Coupling:

$$g(T/T_c(\mu=0)) \longrightarrow g(T^*/T_c(\mu))$$

- Critical temperature $T_c(\mu_q)$ in crossover region: obtained by assuming a constant energy density ε along a critical line $T=T_c(\mu_q)$, where ε at $T_c(\mu_q=0)=156$ GeV is fixed by IQCD at $\mu_q=0$



$$\frac{T_c(\mu_q)}{T_c(\mu_q=0)} = \sqrt{1 - \alpha \mu_q^2} \approx 1 - \alpha/2 \mu_q^2 + \dots$$

$$\alpha \approx 8.79 \text{ GeV}^{-2}$$

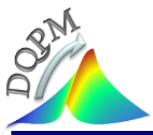
! Consistent with lattice QCD:

IQCD: C. Bonati et al., PRC90 (2014) 114025

$$\frac{T_c(\mu_B)}{T_c} = 1 - \kappa \left(\frac{\mu_B}{T_c} \right)^2 + \dots$$

$$\text{IQCD } \kappa = 0.013(2) \longleftrightarrow \kappa_{DQPM} \approx 0.0122$$

H. Berrehrah et al, PRC 93 (2016) 044914, Int.J.Mod.Phys. E25 (2016) 1642003,



DQPM: parton properties

Realization concept:

- introduce an **ansatz** (HTL; with few parameters) for the (T, μ_B) dependence of masses/widths
- evaluate the **QGP thermodynamics** in equilibrium using the Kadanoff-Baym theory
- fix DQPM parameters by comparison of the DQPM entropy density to **IQCD** at $\mu_B = 0$

• **Entropy and baryon density in the quasiparticle limit (G. Baym 1998):**

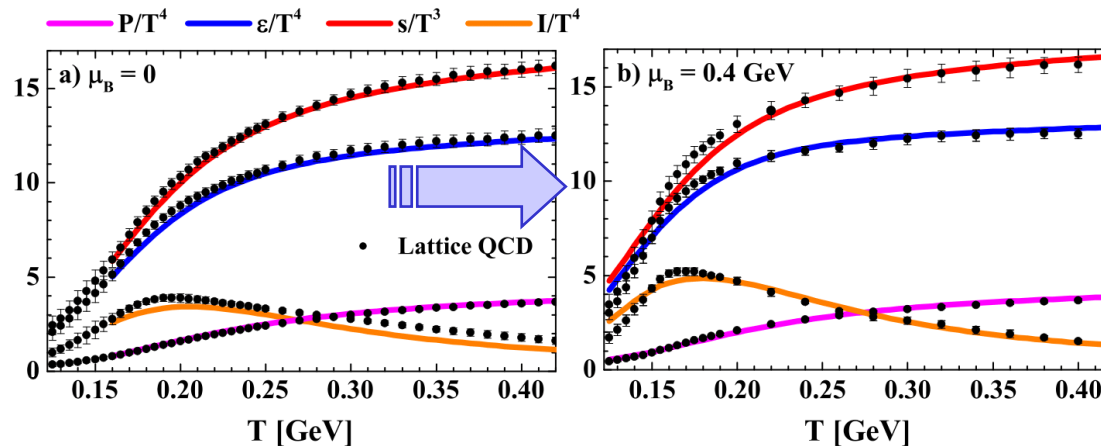
Blaizot, Iancu, Rebhan,
PRD 63 (2001) 065003

$$s^{dqp} = - \int \frac{d\omega}{2\pi} \frac{d^3p}{(2\pi)^3} \left[d_g \frac{\partial n_B}{\partial T} (\text{Im}(\ln -\Delta^{-1}) + \text{Im} \Pi \text{Re} \Delta) \right. \\ \left. + \sum_{q=u,d,s} d_q \frac{\partial n_F(\omega - \mu_q)}{\partial T} (\text{Im}(\ln -S_q^{-1}) + \text{Im} \Sigma_q \text{Re} S_q) \right. \\ \left. + \sum_{\bar{q}=\bar{u},\bar{d},\bar{s}} d_{\bar{q}} \frac{\partial n_F(\omega + \mu_q)}{\partial T} (\text{Im}(\ln -S_{\bar{q}}^{-1}) + \text{Im} \Sigma_{\bar{q}} \text{Re} S_{\bar{q}}) \right]$$

$$n^{dqp} = - \int \frac{d\omega}{2\pi} \frac{d^3p}{(2\pi)^3} \left[\sum_{q=u,d,s} d_q \frac{\partial n_F(\omega - \mu_q)}{\partial \mu_q} (\text{Im}(\ln -S_q^{-1}) + \text{Im} \Sigma_q \text{Re} S_q) \right. \\ \left. + \sum_{\bar{q}=\bar{u},\bar{d},\bar{s}} d_{\bar{q}} \frac{\partial n_F(\omega + \mu_q)}{\partial \mu_q} (\text{Im}(\ln -S_{\bar{q}}^{-1}) + \text{Im} \Sigma_{\bar{q}} \text{Re} S_{\bar{q}}) \right]$$

DQPM:

Input:
lattice EoS
 $\mu_B = 0$



Output:
DQPM EoS
 $\mu_B > 0$

→ DQPM allows to explore QCD in the **non-perturbative regime** of the (T, μ_B) phase diagram

Partonic interactions: matrix elements

DQPM partonic cross sections \rightarrow **leading order diagrams**

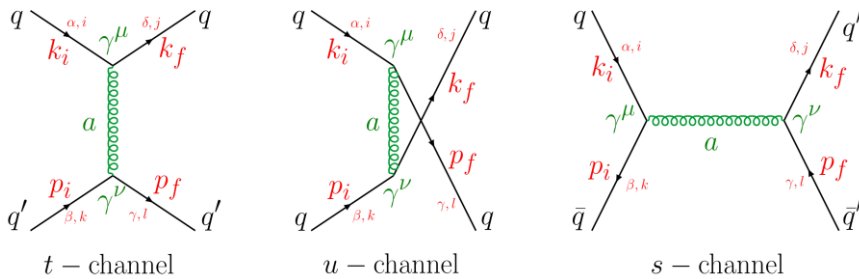
Propagators for massive bosons and fermions:

$$\frac{\mu, a}{\text{-----}} \frac{\nu, b}{q} = -i\delta_{ab} \frac{g^{\mu\nu} - q^\mu q^\nu / M_g^2}{q^2 - M_g^2 + 2i\gamma_g q_0}$$

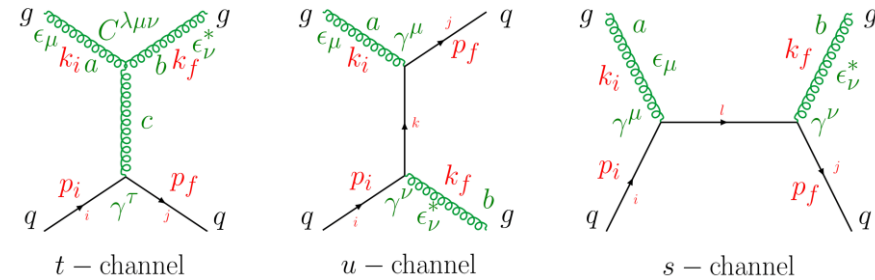
(Quasi-) elastic channels:

$$\begin{array}{c} i \\ \longrightarrow \\ q \end{array} \begin{array}{c} j \\ \longrightarrow \\ q \end{array} = i\delta_{ij} \frac{\not{q} + M_q}{q^2 - M_q^2 + 2i\gamma_q q_0}$$

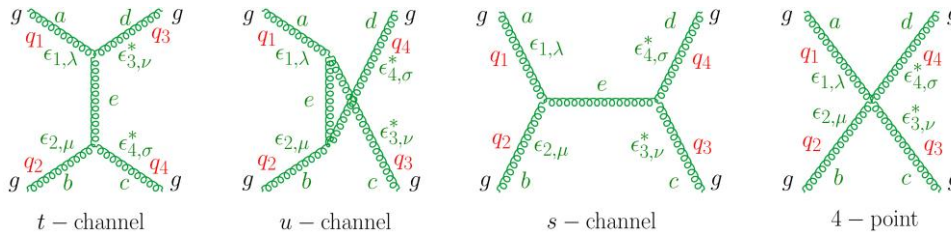
qq' \rightarrow qq' scattering



gq \rightarrow gq scattering



gg \rightarrow gg scattering



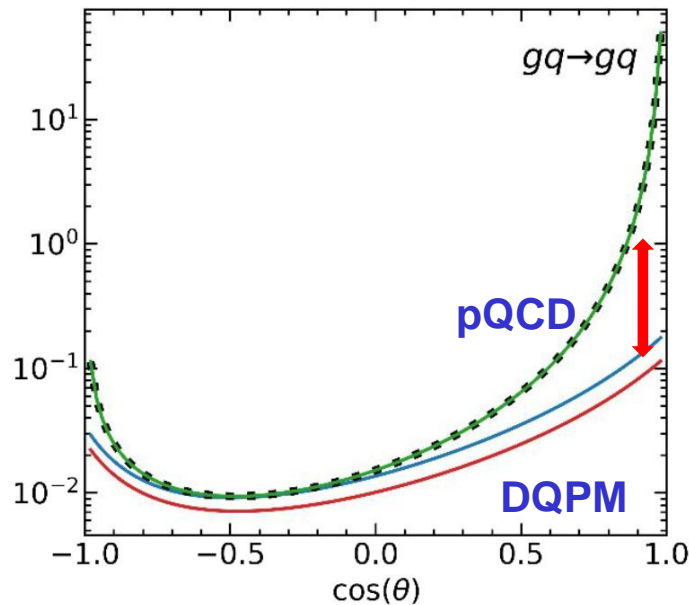
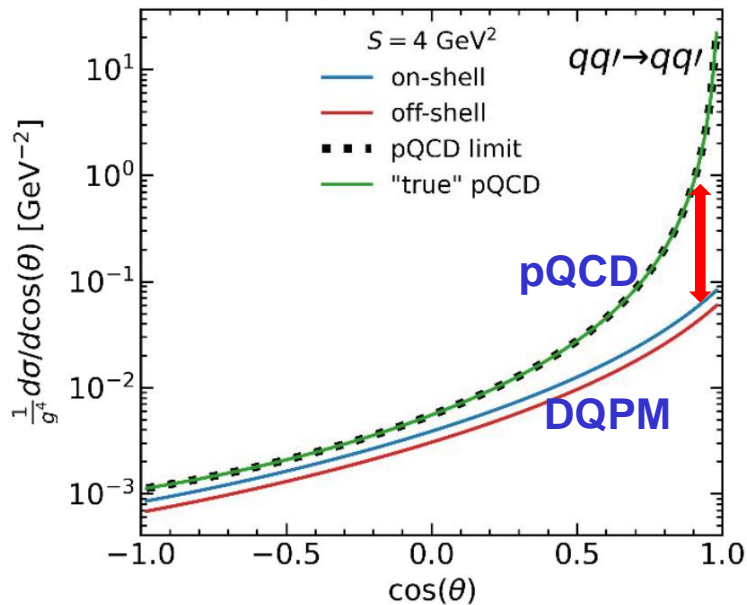
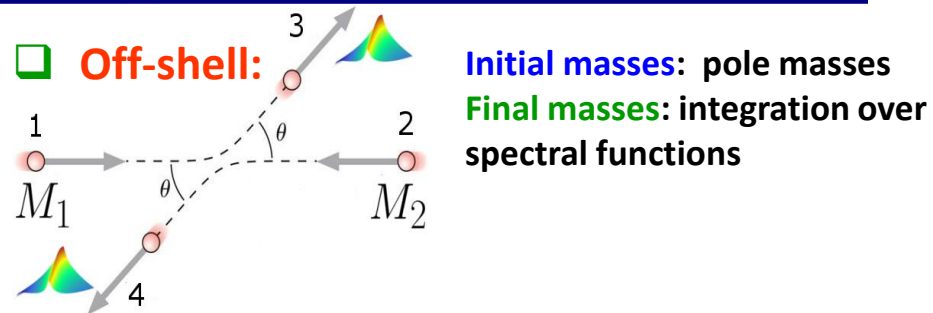
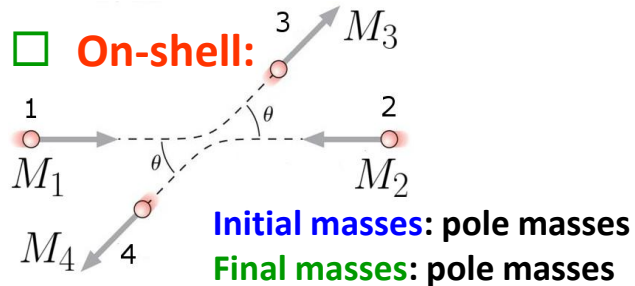
Inelastic channels:

$$q + \bar{q} \rightarrow g$$

$$g \rightarrow q + \bar{q}$$



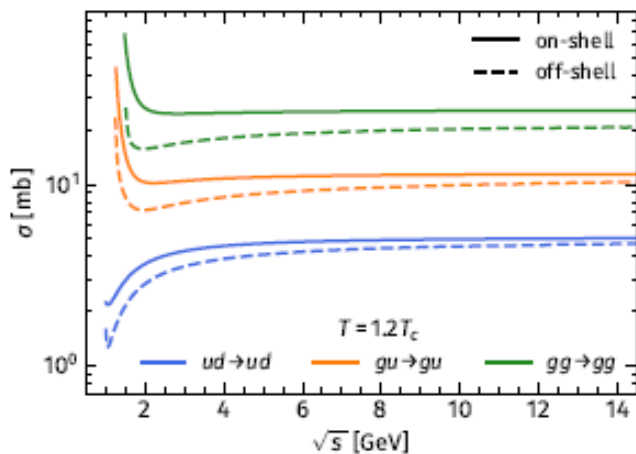
Differential cross sections



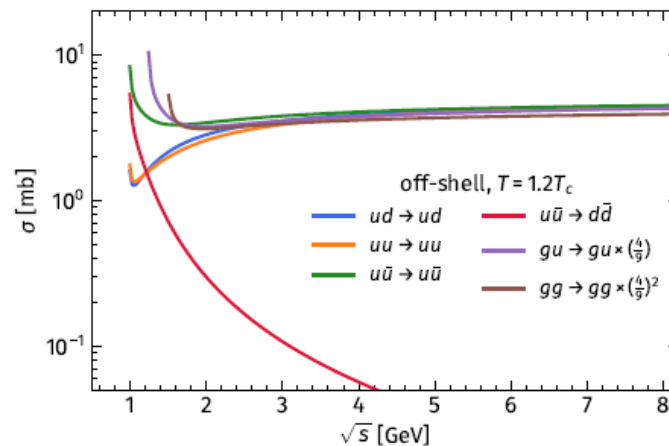
Plot by Ilia Grishmanovskii

- **DQPM: $M \rightarrow 0, \gamma \rightarrow 0 \rightarrow$ reproduces pQCD limits**
- **Differences between DQPM and pQCD : less forward peaked angular distribution leads to more efficient momentum transfer**

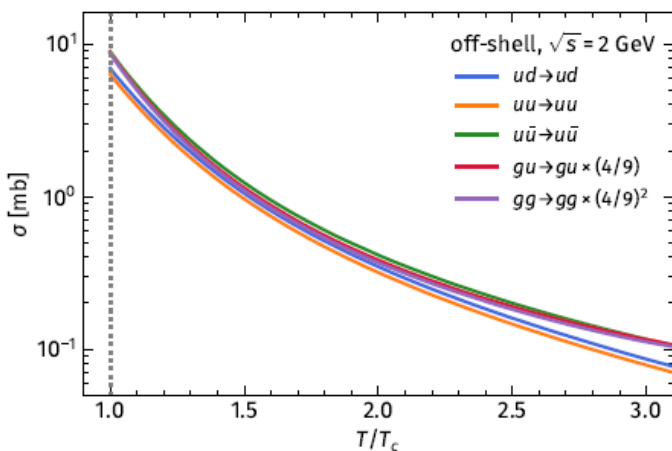
Total elastic cross sections



off-shell effects are stronger at low $s^{1/2}$

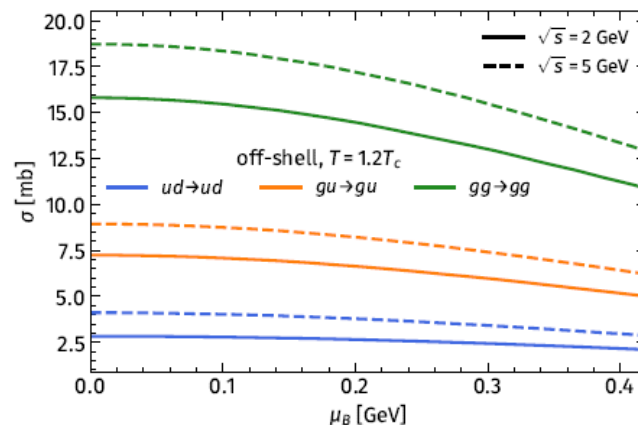


strong channel dependence at low $s^{1/2}$



strong T dependence
 \sim scaling with color ratio

$$|\mathcal{M}_{gg}|^2 \approx \frac{C_g}{C_q} |\mathcal{M}_{qq}|^2 \approx \left(\frac{C_g}{C_q}\right)^2 |\mathcal{M}_{qq}|^2$$



weak μ_B dependence

DQPM: Mean-field potential for quasiparticles

Space-like part of energy-momentum tensor $T_{\mu\nu}$ defines the **potential energy density**:

$$V_p(T, \mu_q) = T_{g-}^{00}(T, \mu_q) + T_{q-}^{00}(T, \mu_q) + T_{\bar{q}-}^{00}(T, \mu_q)$$

space-like gluons + space-like quarks+antiquarks

$$\tilde{T}_{R_g^\pm} \dots = d_g \int \frac{d\omega}{2\pi} \frac{d^3p}{(2\pi)^3} 2\omega \rho_g(\omega) \Theta(\omega) n_B(\omega/T) \Theta(\pm P^2) \dots$$

$$\tilde{T}_{R_q^\pm} \dots = d_q \int \frac{d\omega}{2\pi} \frac{d^3p}{(2\pi)^3} 2\omega \rho_q(\omega) \Theta(\omega) n_F((\omega - \mu_q)/T) \Theta(\pm P^2) \dots$$

$$\tilde{T}_{R_{\bar{q}}^\pm} \dots = d_{\bar{q}} \int \frac{d\omega}{2\pi} \frac{d^3p}{(2\pi)^3} 2\omega \rho_{\bar{q}}(\omega) \Theta(\omega) n_F((\omega + \mu_q)/T) \Theta(\pm P^2) \dots$$

→ **Mean-field scalar potential (1PI)** for quarks and gluons (U_q, U_g) vs **parton scalar density ρ_s** :

$$U_s(\rho_s) = \frac{dV_p(\rho_s)}{d\rho_s} \quad \rho_s = N_g^+ + N_q^+ + N_{\bar{q}}^+$$

$$U_q = U_s, \quad U_g \sim 2U_s$$

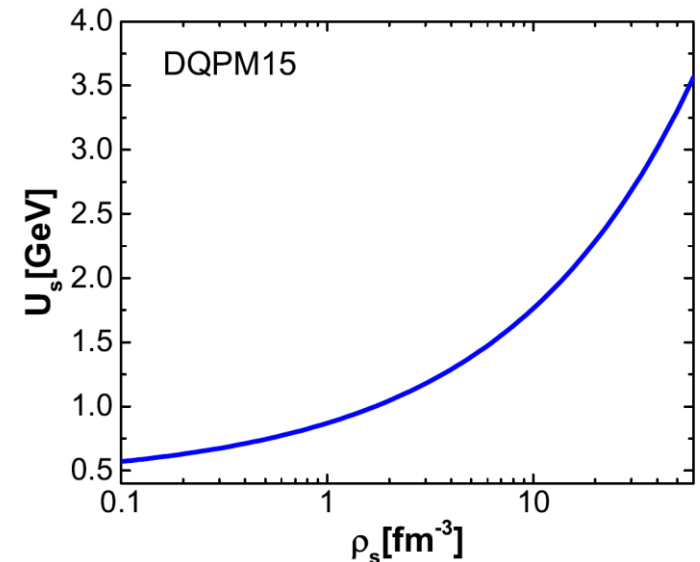
Quasiparticle **potentials** (U_q, U_g) are **repulsive** !

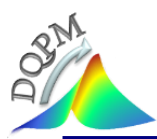
PHSD: → **the force** acting on a quasiparticle j :

$$F \sim M_j/E_j \nabla U_s(x) = M_j/E_j dU_s/d\rho_s \nabla \rho_s(x)$$

$$j = g, q, \bar{q}$$

→ **accelerates** particles





Transport coefficients: shear viscosity η at finite (T, μ_q)

Relaxation-Time Approximation (RTA)

(+ cross-check with Kubo formalism):

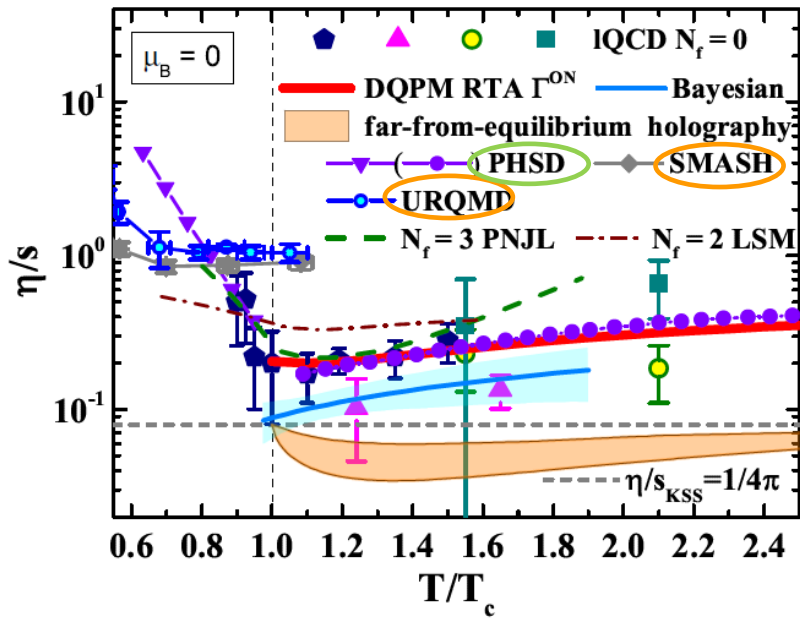
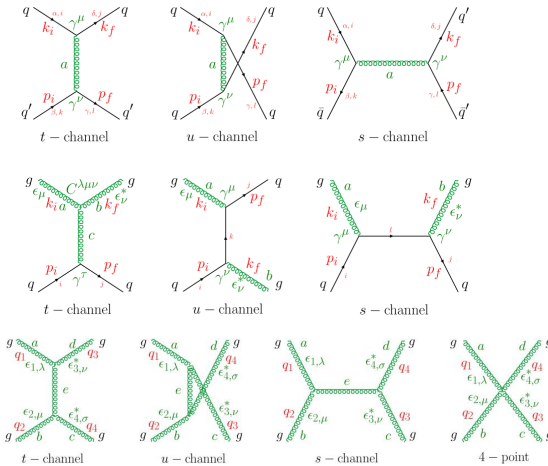
$$\eta^{\text{RTA}}(T, \mu_B) = \frac{1}{15T} \sum_{i=q, \bar{q}, g} \int \frac{d^3p}{(2\pi)^3} \frac{\mathbf{p}^4}{E_i^2} \tau_i(\mathbf{p}, T, \mu_B) d_i (1 \pm f_i) f_i$$

$$\tau_i(\mathbf{p}, T, \mu_B) = \frac{1}{\Gamma_i(\mathbf{p}, T, \mu_B)}$$

Parton interaction

$$\Gamma_i \propto \sum_j d_j f_j \sigma_{ij}$$

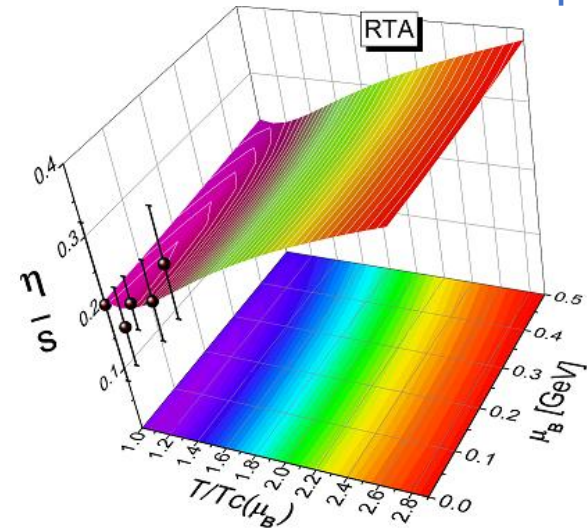
$\sigma_{ij} \rightarrow$ 'leading order' diagrams



η/s from DQPM = η/s from PHSD in a box

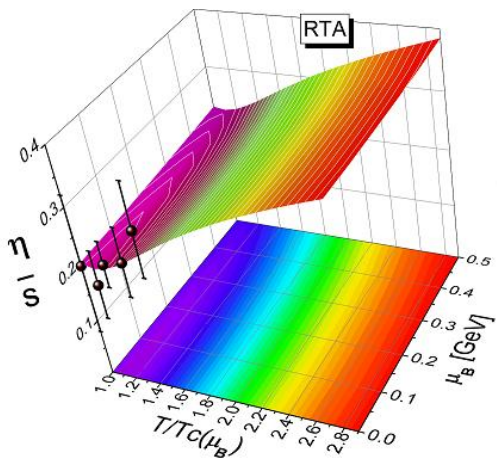
- Good agreement with IQCD
- Light increase of shear viscosity with μ_B

Shear viscosity $\eta/s(T, \mu_q)$

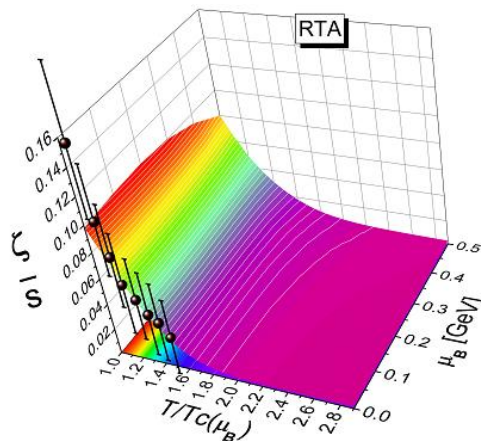


Transport coefficients: DQPM vs IQCD

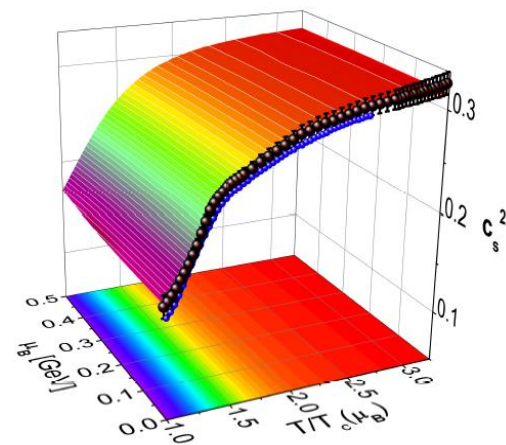
η/s versus (T, μ_B)



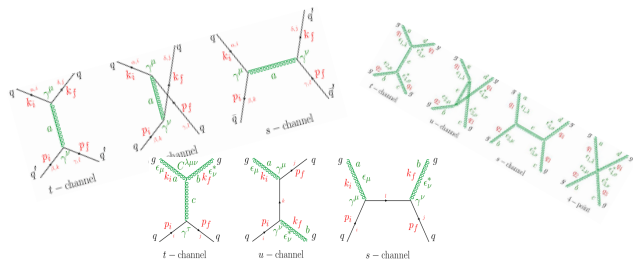
Bulk viscosity ζ/s



Speed of sound c_s^2



P. Moreau et al., PRC100 (2019) 014911;
O. Soloveva et al., PRC110 (2020) 045203

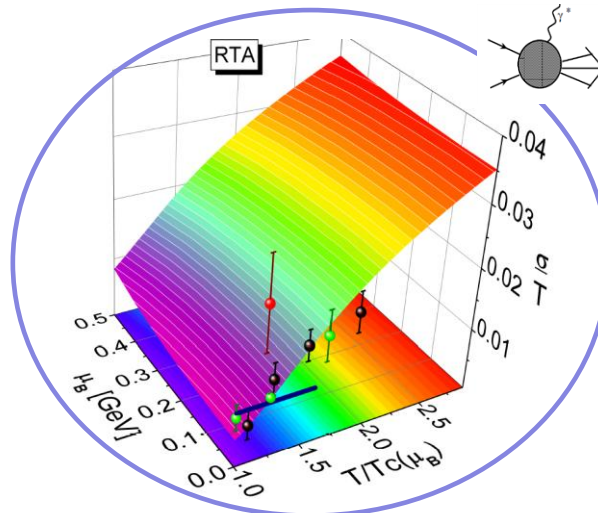


Full diffusion coefficient matrix:

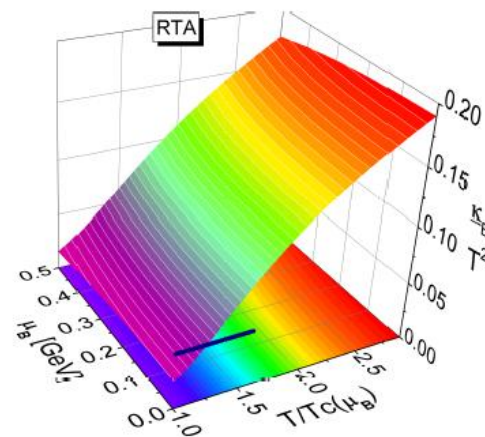
$$\begin{pmatrix} j_B^\mu \\ j_Q^\mu \\ j_S^\mu \end{pmatrix} = \begin{pmatrix} \kappa_{BB} & \kappa_{BQ} & \kappa_{BS} \\ \kappa_{QB} & \kappa_{QQ} & \kappa_{QS} \\ \kappa_{SB} & \kappa_{SQ} & \kappa_{SS} \end{pmatrix} \cdot \begin{pmatrix} \nabla^\mu \alpha_B \\ \nabla^\mu \alpha_Q \\ \nabla^\mu \alpha_S \end{pmatrix}$$

J. A. Fotakis et al., PRD 104 (2021) , 034014

Electric conductivity σ_e/T

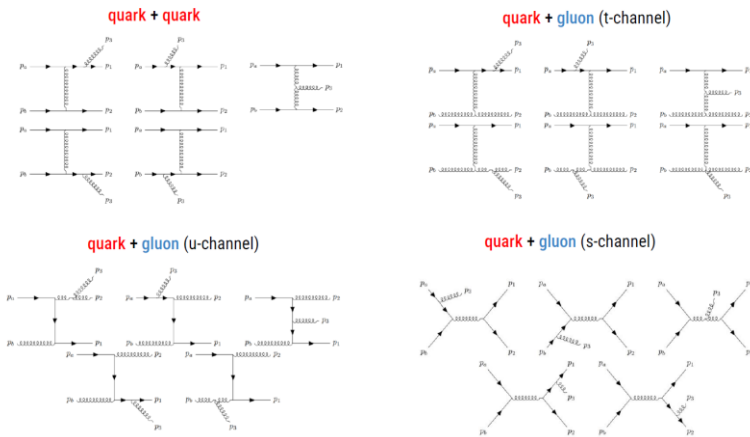


Baryon diffusion coefficient κ_B/T^2



➔ Weak dependence of transport coefficients on μ_B

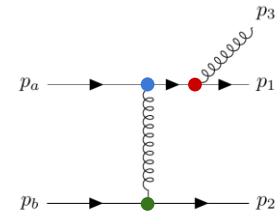
Partonic inelastic 2→3 interactions



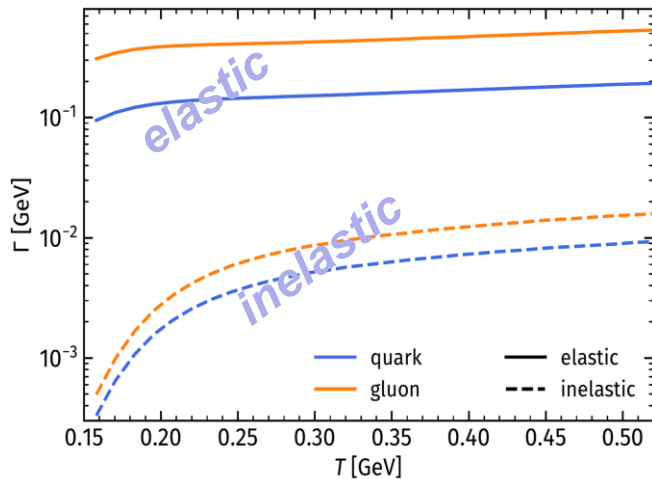
→ Transport coefficients are sensitive to the choice of the strong coupling

Model	Vertex		
	● thermal	● jet	● emitted gluon
DQPM	$a_s(T)$		
DQPM, $\alpha_s = 0.3$	$a_s = 0.3$		
DQPM, $\alpha_s(Q^2)$	$a_s(T)$	$a_s(Q^2)$	$a_s(k_t^2)$

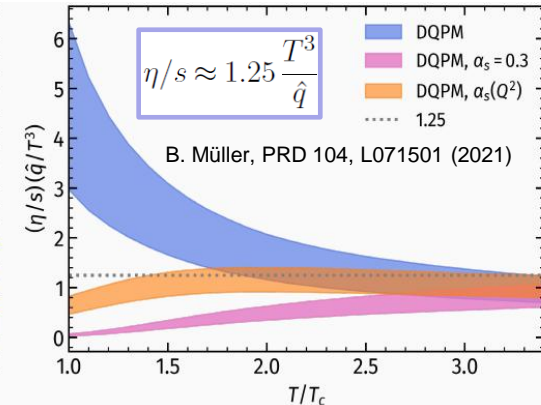
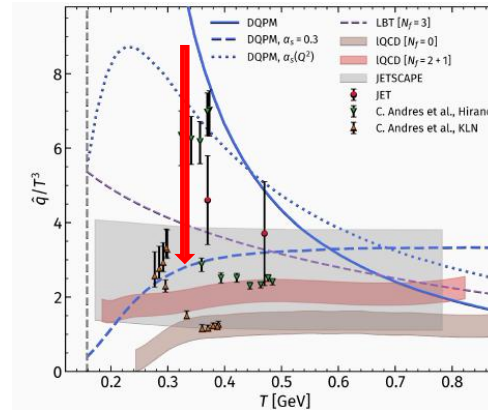
Zakharov model



Interaction rate

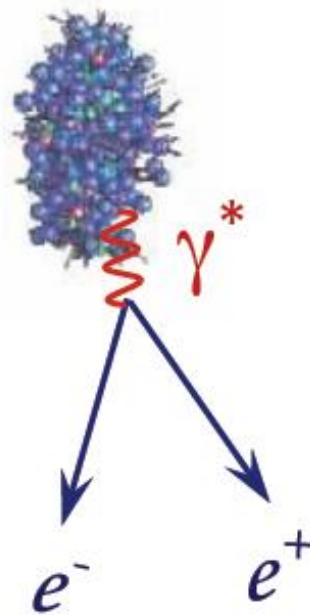


Inelastic interactions are suppressed in a thermalized QGP medium, but are crucial in the context of jet attenuation

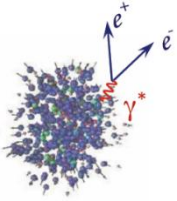


- ★ Strong dependence on the choice of α_s
- ★ Consistency with the weak-coupling limit at high T
- ★ Strong deviation from the weak-coupling limit at low T

Electromagnetic probes of the strongly interaction matter: dileptons



Physics with dileptons

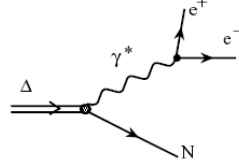


Low mass dileptons

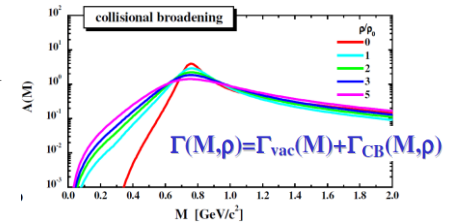
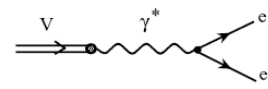
- probe of **hadronic in-medium effects** – **chiral symmetry restoration**

(late time emission)

- Bremsstrahlung
- Dalitz decay of mesons and baryons ($\pi^0, \eta, \Delta, \dots$)

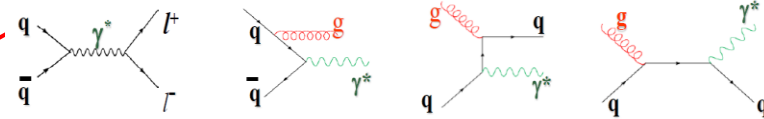


- direct decay of vector mesons

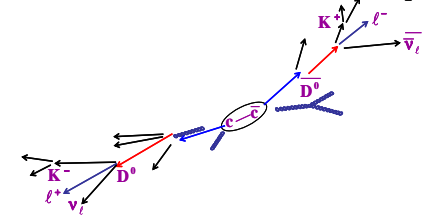


Intermediate mass dileptons

- probe of **'thermal QGP'**

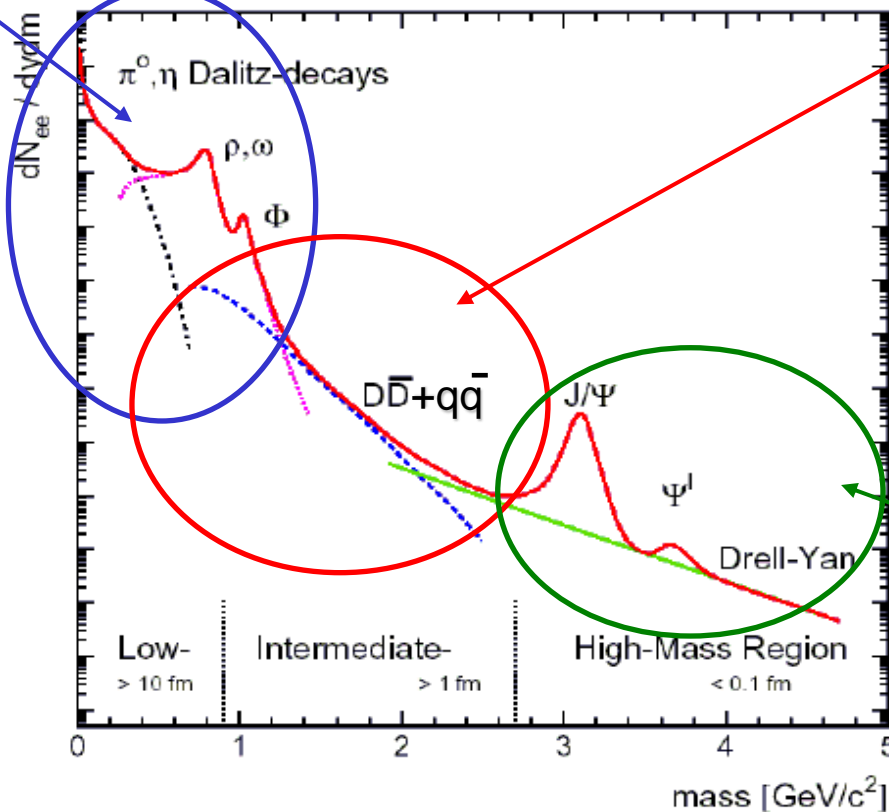


- correlated **D+Dbar** pairs

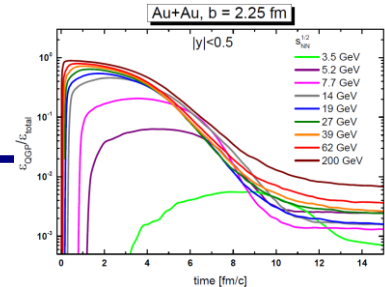
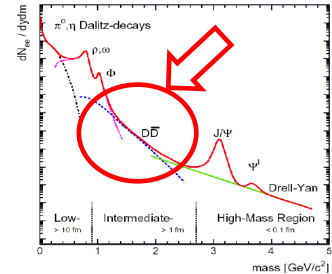


High-mass dileptons

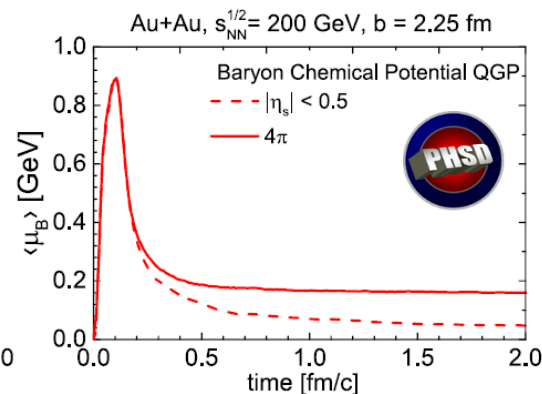
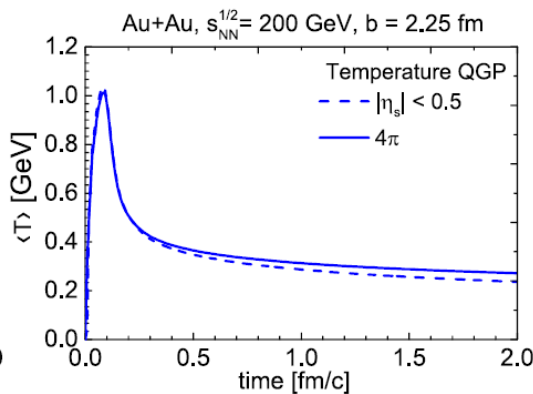
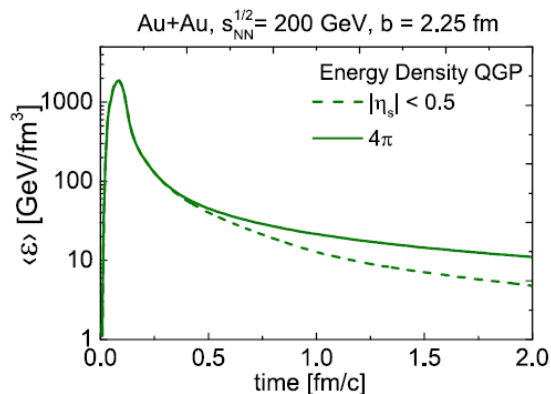
- probe of **pQGP (DY)** and **hard probes** (early time emission)



Time dependence of the QGP properties probed by HICs at 200 and 3.5 GeV



Au+Au, $b = 2$ fm, $s_{NN}^{1/2} = 200$ GeV

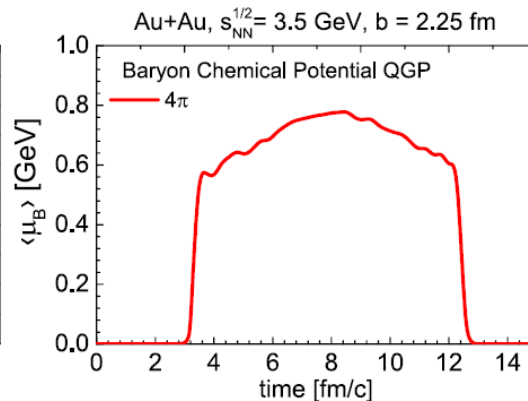
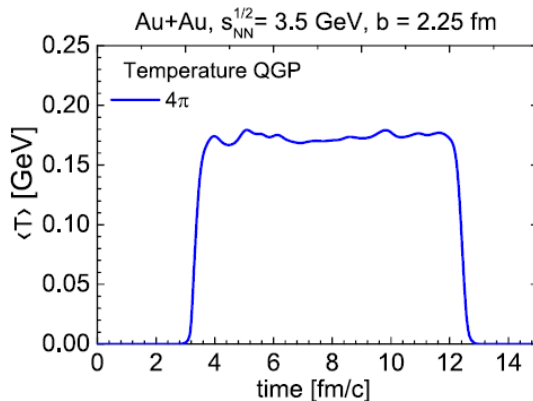
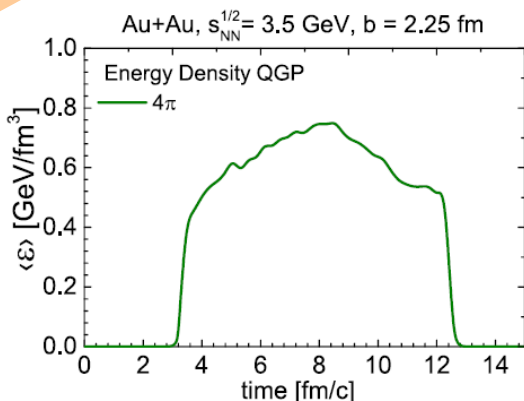


→ large $\epsilon > \epsilon_{crit}$ in a large volume

→ small μ_B at spacial midrapidity

QGP for $\epsilon > \epsilon_{crit}$
= 0.4 GeV/fm³

Au+Au, $b = 2$ fm, $s_{NN}^{1/2} = 3.5$ GeV



→ $\epsilon > \epsilon_{crit}$ in a small volume

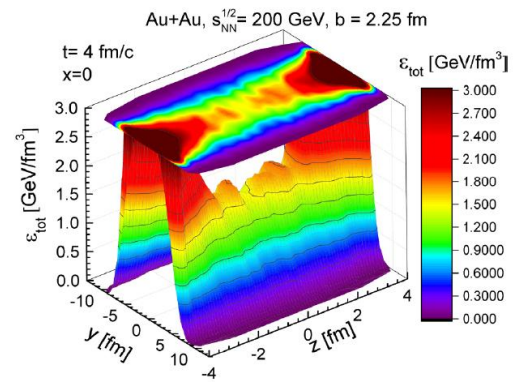
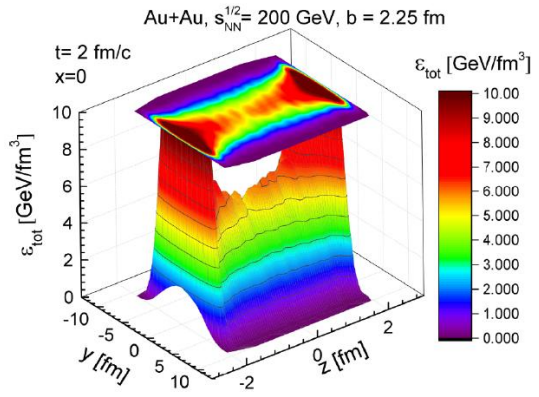
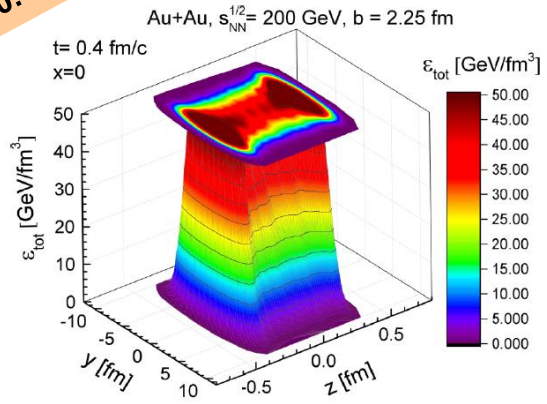
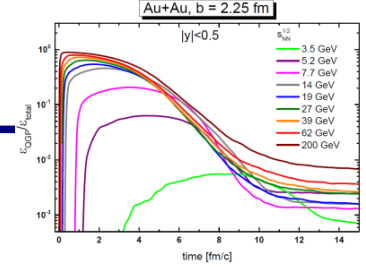
→ large μ_B at midrapidity



QGP energy density ϵ_{tot} in $(x=0, y, z)$ plane

QGP for $\epsilon > \epsilon_{\text{crit}} = 0.4 \text{ GeV/fm}^3$

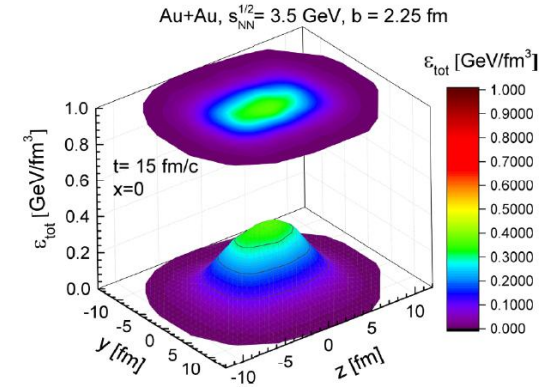
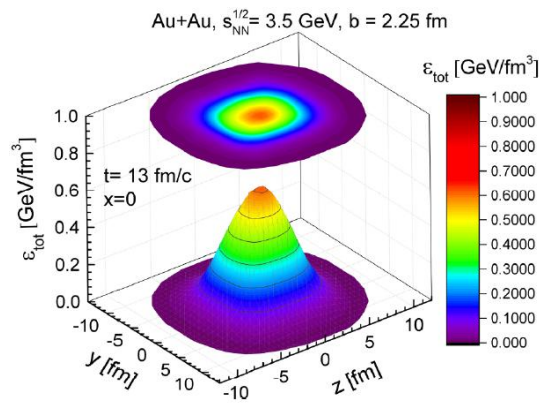
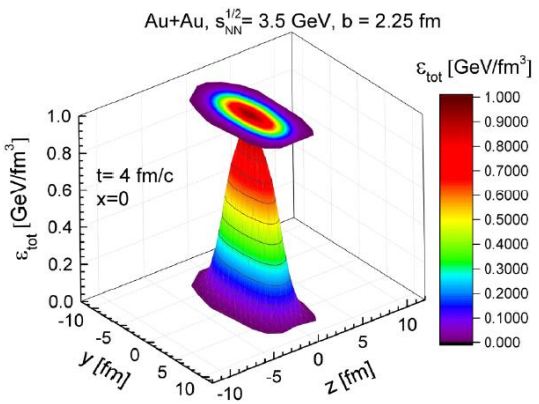
Au+Au, $b = 2 \text{ fm}$, $s_{\text{NN}}^{1/2} = 200 \text{ GeV}$



→ large $\epsilon > \epsilon_{\text{crit}}$ in a large volume

QGP for $\epsilon > \epsilon_{\text{crit}} = 0.4 \text{ GeV/fm}^3$

Au+Au, $b = 2 \text{ fm}$, $s_{\text{NN}}^{1/2} = 3.5 \text{ GeV}$



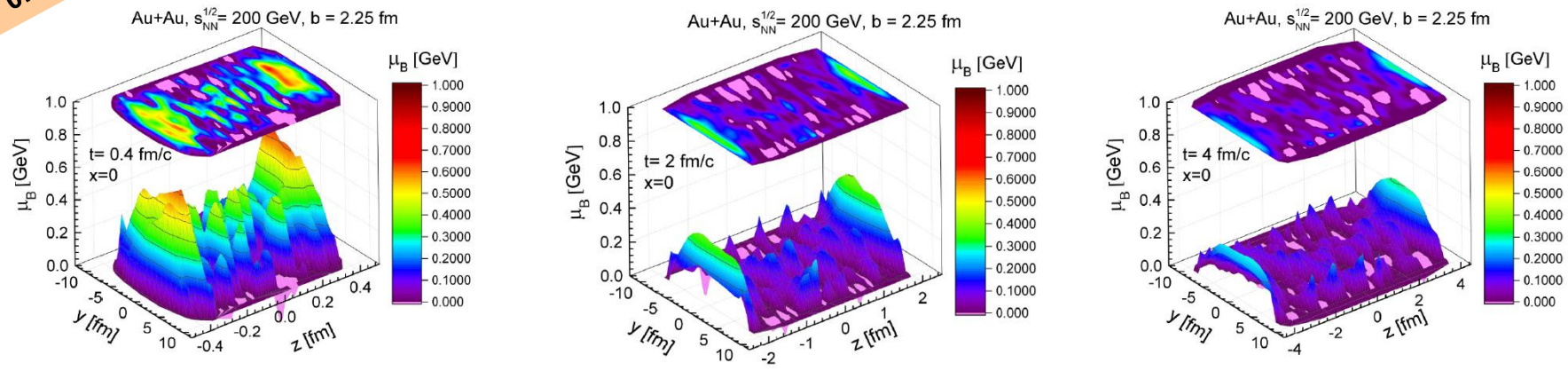
→ $\epsilon > \epsilon_{\text{crit}}$ in a small volume



QGP baryon chemical potential μ_B in $(x=0, y, z)$ plane

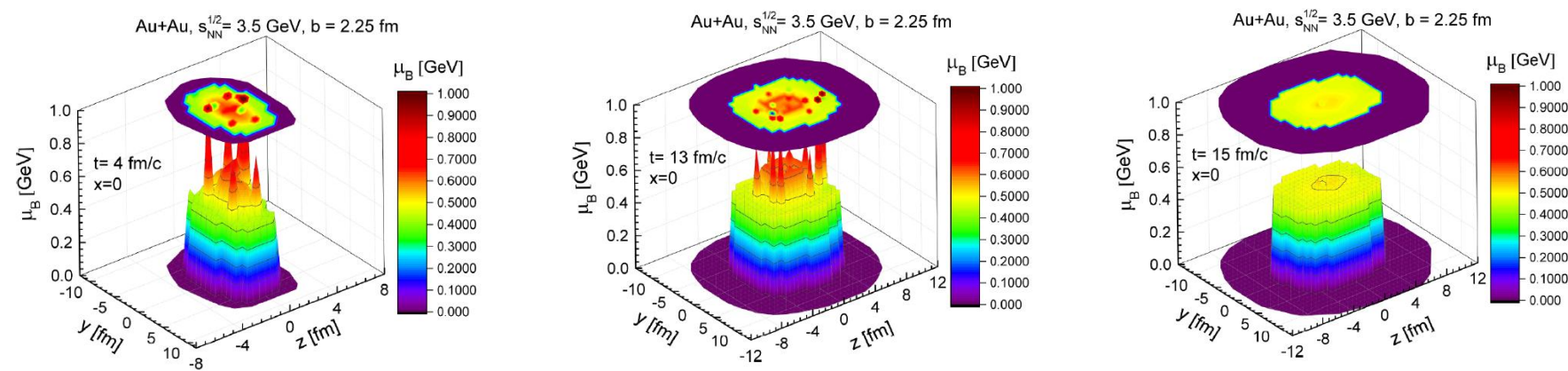
QGP for $\epsilon > \epsilon_{crit}$
 $= 0.4 \text{ GeV/fm}^3$

Au+Au, $b = 2 \text{ fm}$, $s_{NN}^{1/2} = 200 \text{ GeV}$



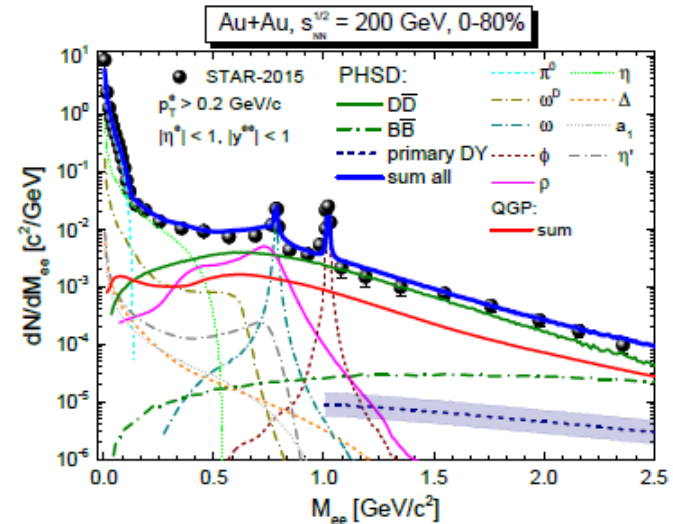
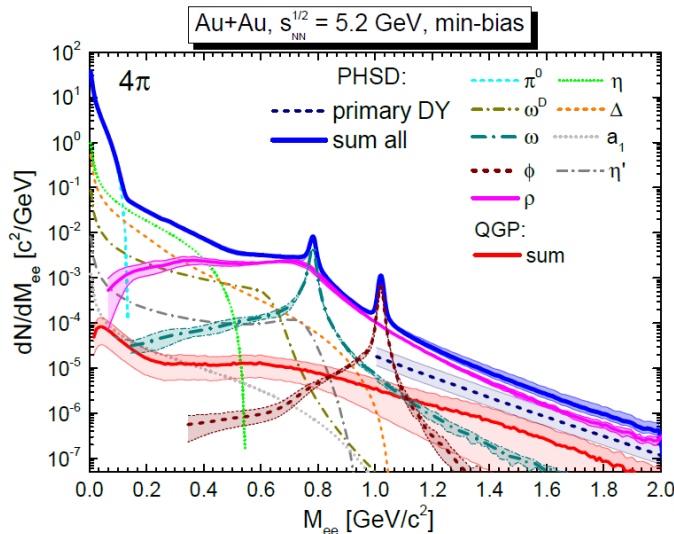
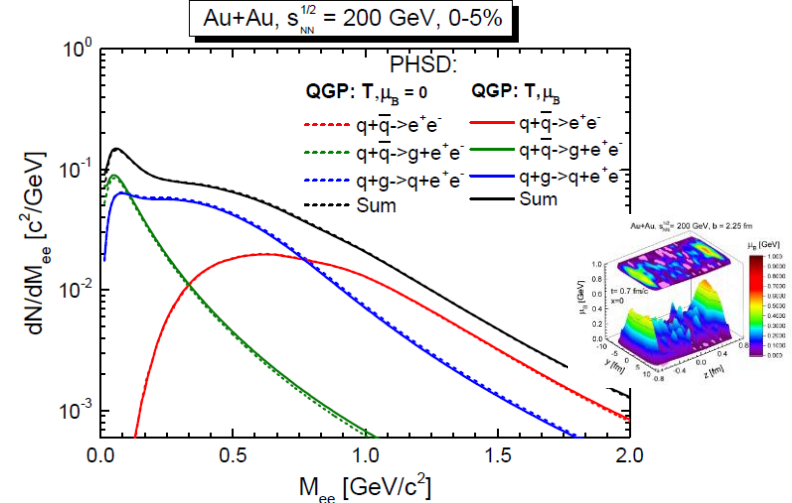
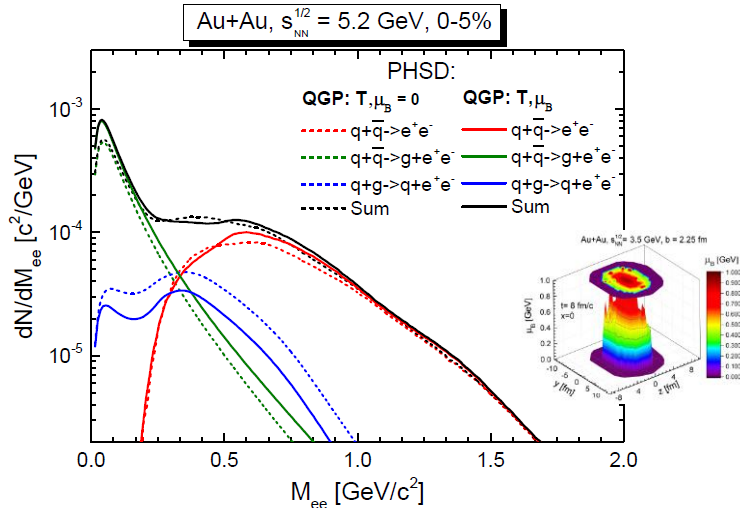
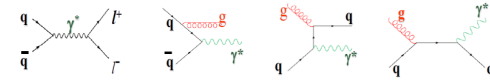
→ **small μ_B** at midrapidity

Au+Au, $b = 2 \text{ fm}$, $s_{NN}^{1/2} = 3.5 \text{ GeV}$



→ **large μ_B** at midrapidity

Influence of the (T, μ_B) -dependent EoS on dilepton production from QGP



- Visible influence of μ_B on QGP dilepton spectra at low energies, very small – at high energies
- But small influence of μ_B on the total dilepton yield due to a small volume of QGP at low energies

Dilepton spectra

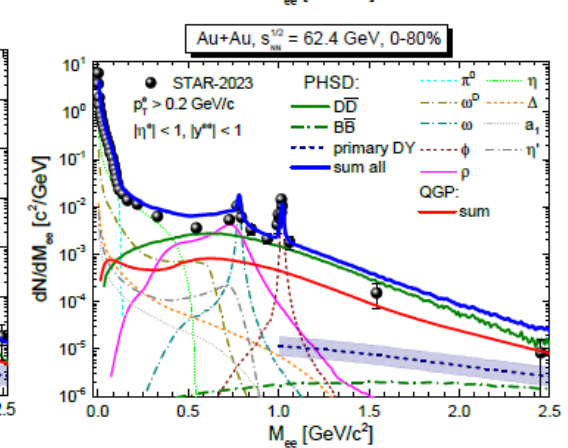
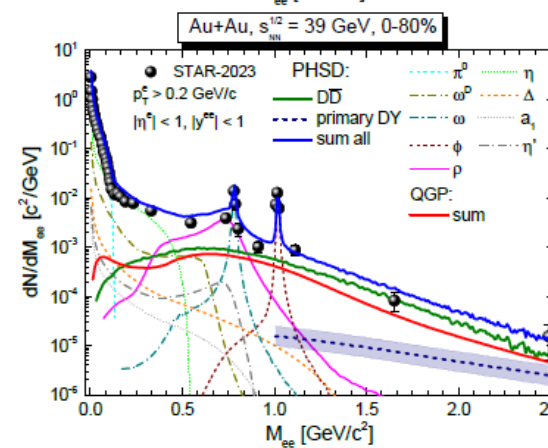
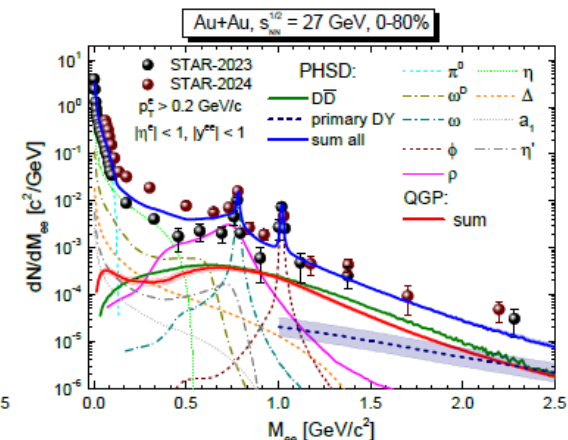
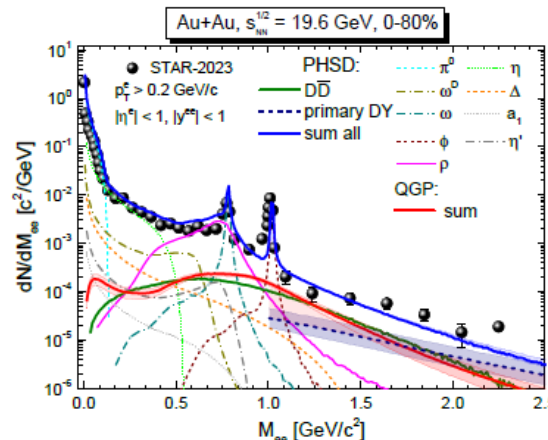
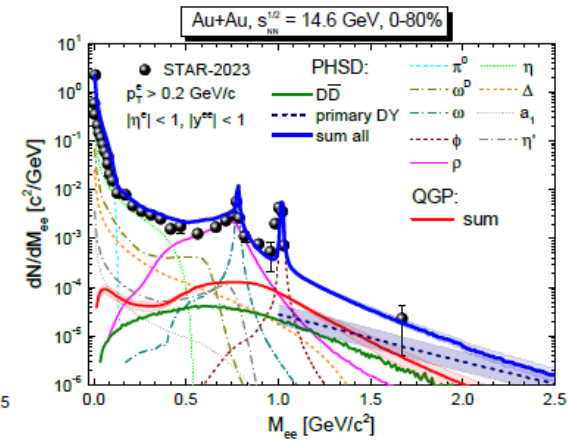
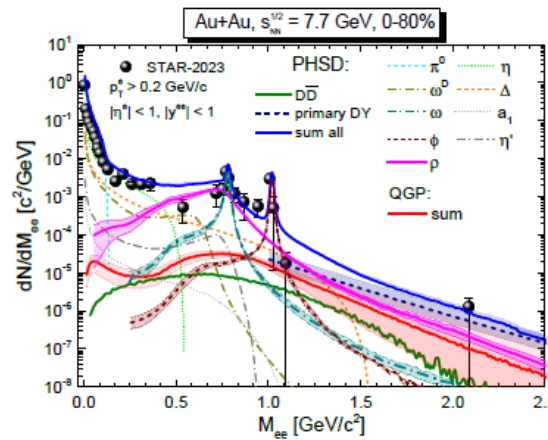
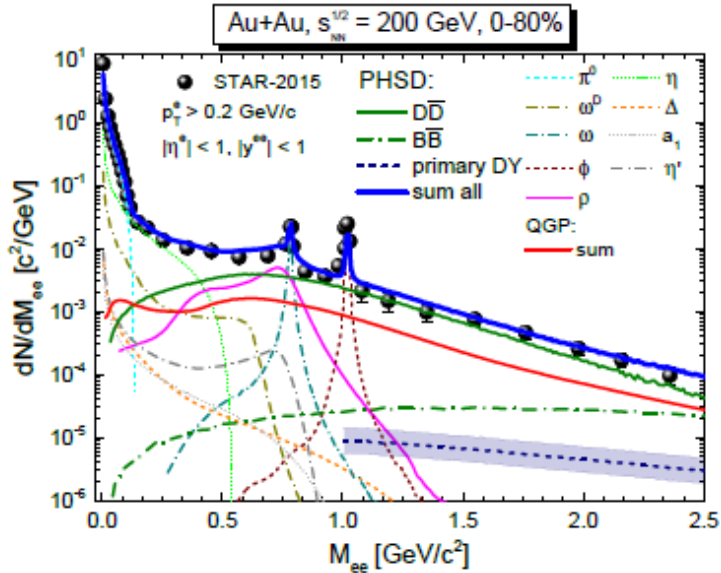
PHSD dilepton spectra including:

a **collisional broadening** of the **vector meson** spectral functions

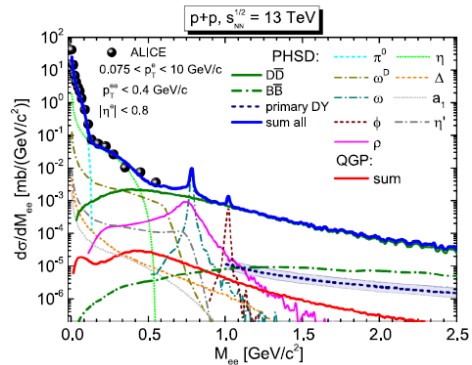
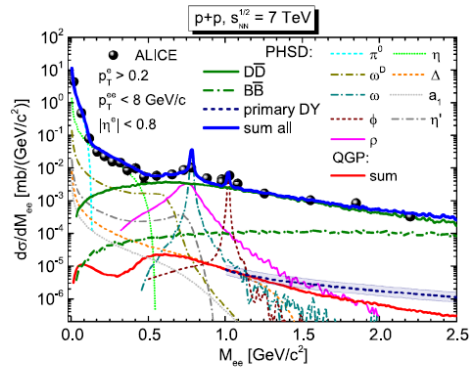
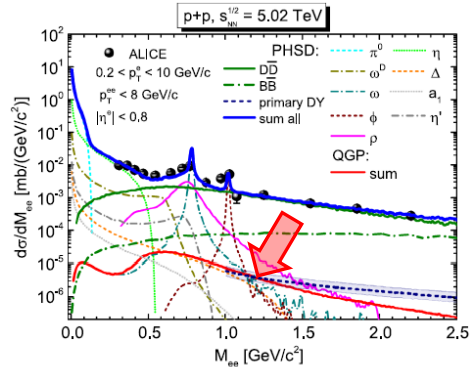
+ primary DY

+ correlated charm + beauty

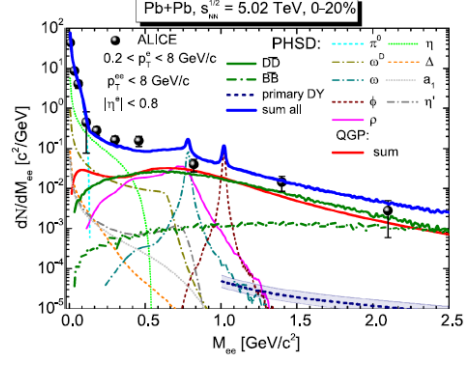
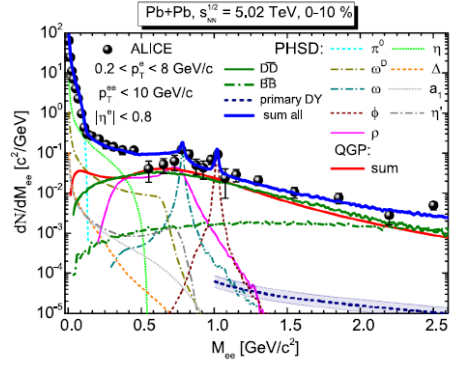
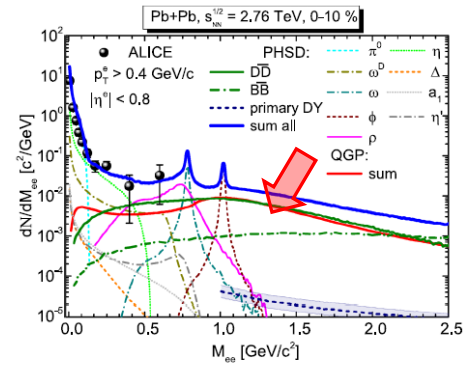
+ QGP $\left\{ \begin{array}{l} q\bar{q} \rightarrow e^+e^- \\ q\bar{q} \rightarrow ge^+e^- \\ gq(\bar{q}) \rightarrow q(\bar{q})e^+e^- \end{array} \right.$



p+p



Pb+Pb



- p+p: (M>1.2GeV) correlated charm (dominant) + dileptons from **QGP droplets**
- A+A: dilepton yield from **QGP** = dilepton yield from correlated **charm**

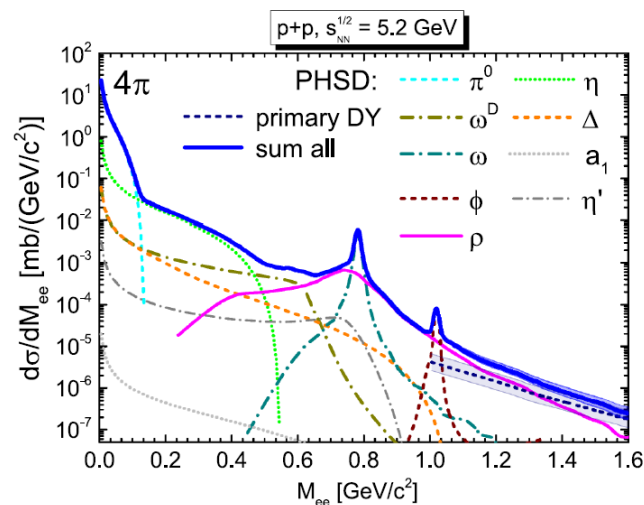
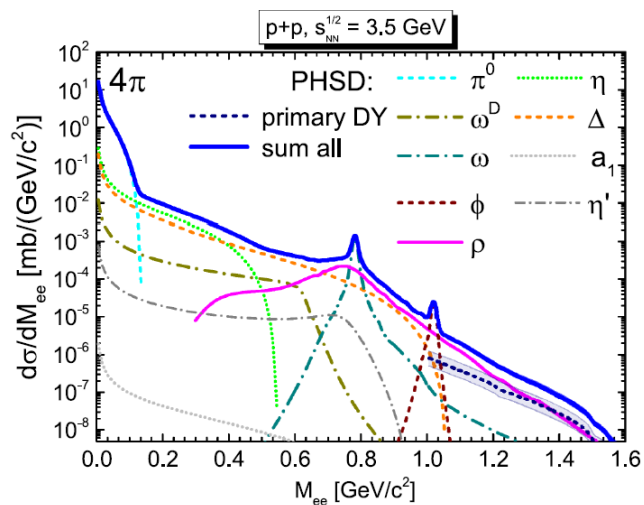


PHSD predictions for CBM

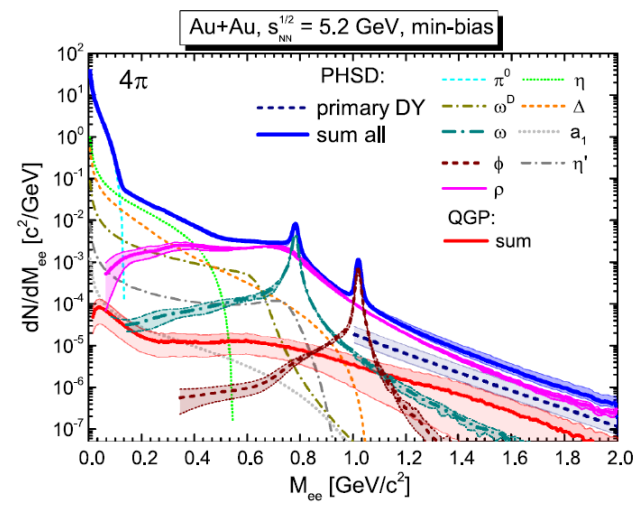
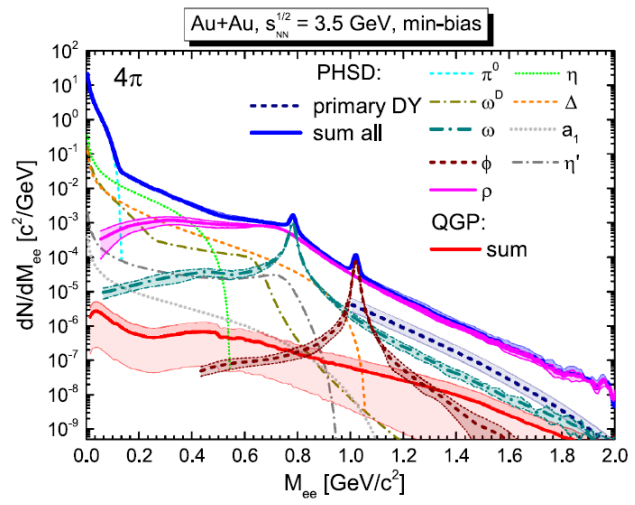
$s_{NN}^{1/2} = 3.5 \text{ GeV}$

$s_{NN}^{1/2} = 5.2 \text{ GeV}$

p+p



Au+Au

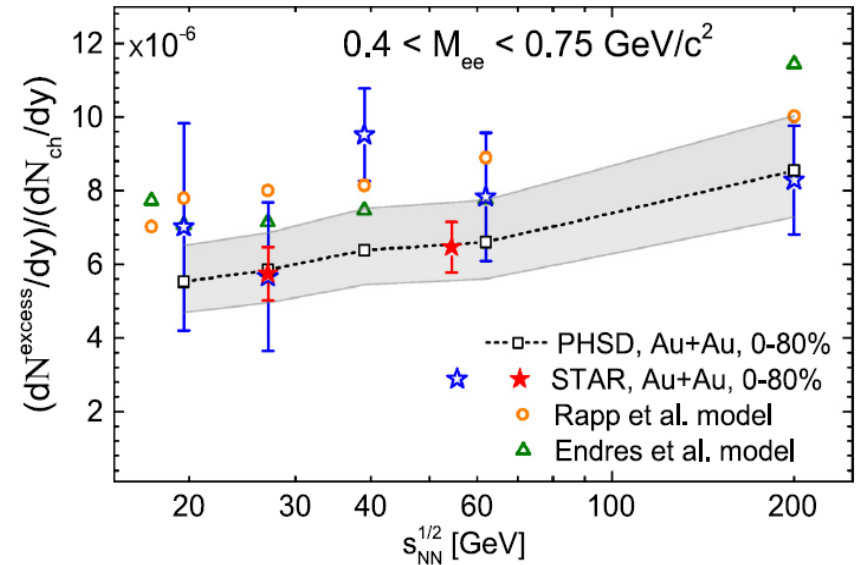
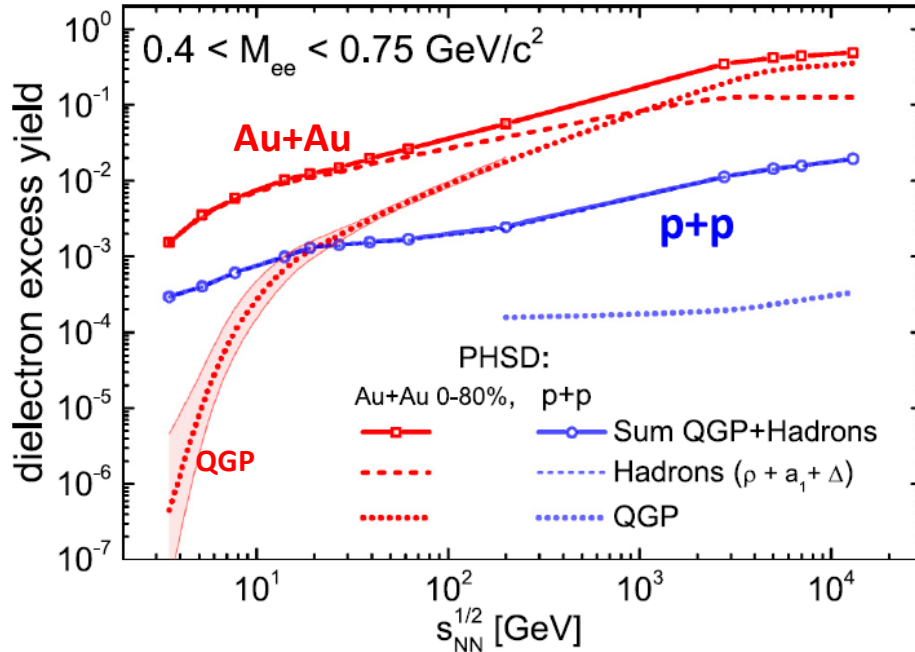


Au+Au vs p+p : dominant contributions - in-medium vector meson decays + DY + QGP

Dileptons: excitation functions for $0.4 < M < 0.75 \text{ GeV}$

Excitation function of **dilepton excess yield** integrated for $0.4 < M < 0.75 \text{ GeV}$

Dilepton excess yield = total – ‘cocktail’ (expected contributions from hadronic decays at freezeout)

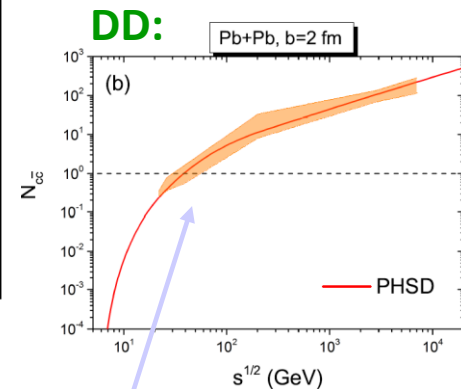
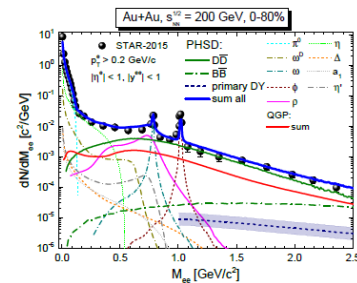
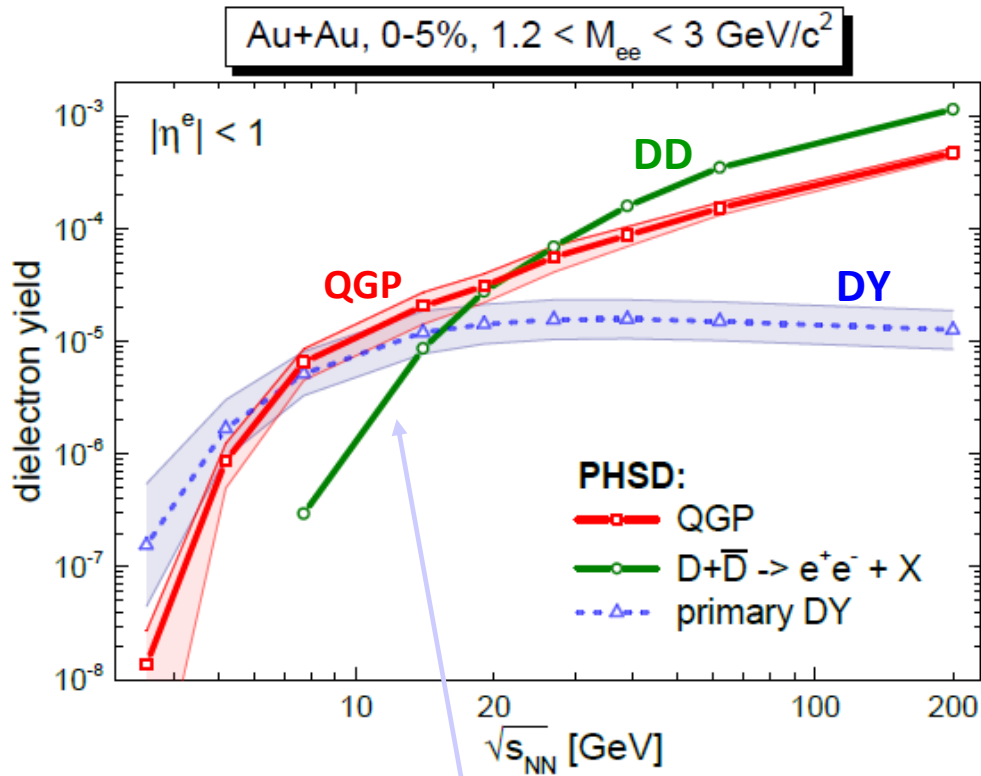
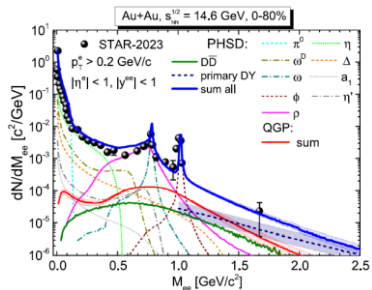


For $0.4 < M < 0.75 \text{ GeV}$:

- Dominant contribution – vector meson decays
 - ➔ favours **in-medium** modifications of vector meson spectral function
 - collisional broadening
- **QGP** contribution increases with energy
- **p+p**: dileptons are dominated by hadronic channels (vector mesons)

Dileptons: excitation functions for $1.2 < M < 3 \text{ GeV}$

Excitation function of dilepton yield integrated for $1.2 < M < 3 \text{ GeV}$



For $1.2 < M < 3 \text{ GeV}$:

- Dileptons from **QGP** overshine charm dileptons (D-Dbar) with decreasing beam energy
- Primary DY** could be “subtracted” from AA dilepton spectra using pp data

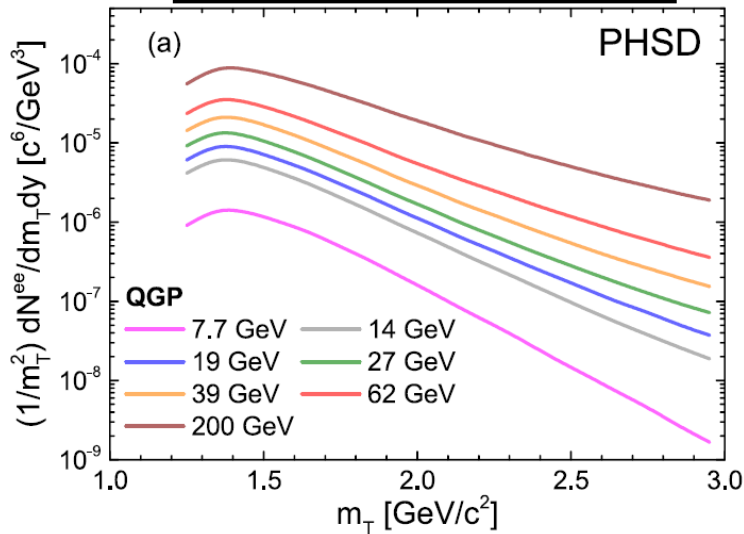
Transverse mass spectra

→ Effective temperature

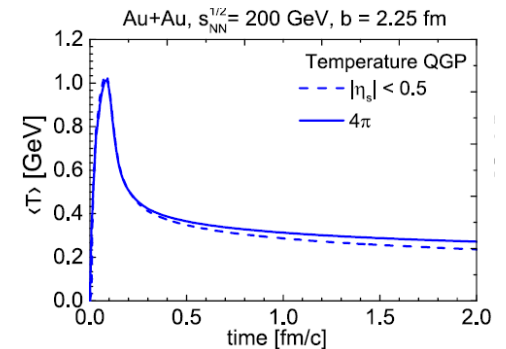
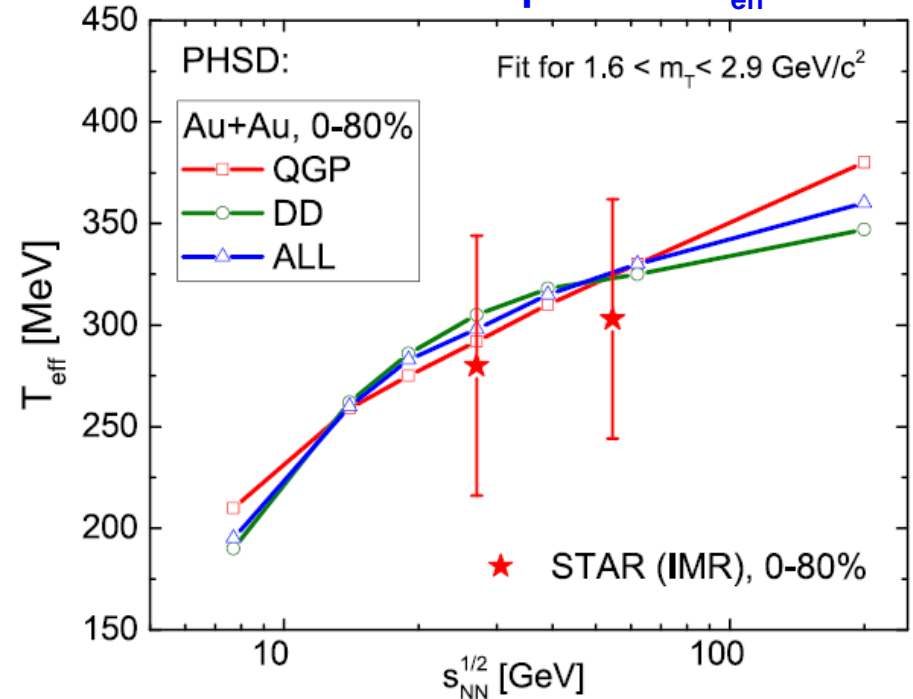
$1.6 < m_T < 2.9 \text{ GeV}/c^2$

$$\frac{1}{m_T^2} \frac{d\sigma}{dm_T dy} \sim e^{\beta m_T}$$

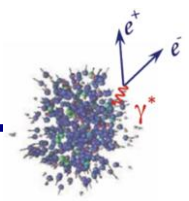
Au+Au, 0-80%, $|\eta^e| < 1$, $1.2 < M_{\text{ee}} < 3 \text{ GeV}/c^2$



Excitation function of effective temperature T_{eff}



□ measurement of T_{eff} allows to penetrate inside the hot and dense matter and to probe its thermal properties



High energies:

□ Low dilepton masses:

- Dilepton spectra show sizeable changes due to the in-medium effects – **modification of the properties of vector mesons** (as collisional broadening)

□ Intermediate dilepton masses $M > 1.2$ GeV :

- Dominant sources : **QGP** (qbar-q) and **correlated charm D-Dbar**
- Fraction of QGP **grows** with increasing energy; however, the relative contribution of QGP dileptons to dileptons from charm pairs increases with decreasing energy

↪ **In-medium effects** can be observed at all energies from SIS to LHC

→ Study of **polarization phenomena** with dileptons

→ **QGP contribution overshines charm** with decreasing energy

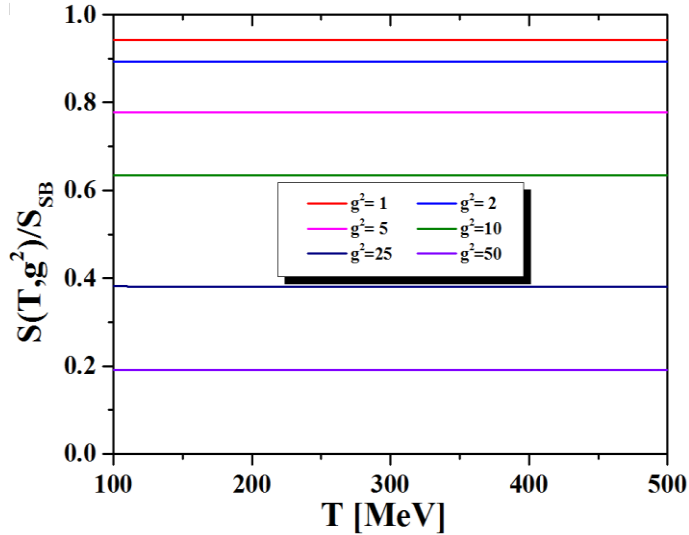
Good perspectives for FAIR / NICA / RHIC BES !



**Thank you for your
attention!**

DQPM at finite (T, μ_q) : running coupling

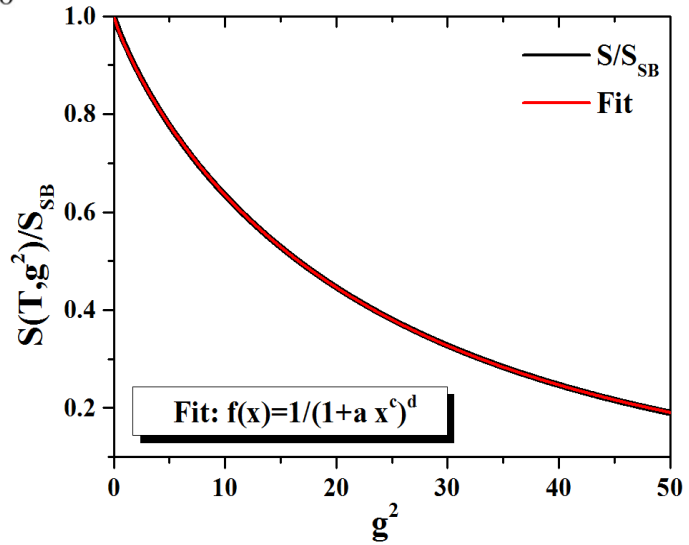
❖ DQPM entropy is independent of T : $\frac{\partial}{\partial T} \left(\frac{S_{DQPM}}{T^3} \right) = 0$



$$S_{SB}^{QCD} = 19/(9\pi^2 T^3)$$



$$\frac{S(g^2)}{S_{SB}} = \frac{1}{(1 + a (g^2)^b)^c}$$

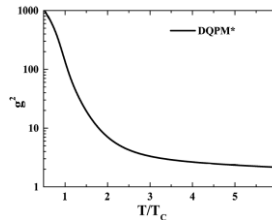


by inverting

❑ from DQPM $g^2(s/s_{SB}, T) \sim \left(\frac{a}{T} + b \right) \left(\left(\frac{s/s_{SB}}{d(T)} \right)^{v(T)} - 1 \right)^{w(T)} \rightarrow g^2(s/s_{SB})$

Temperature dependent parameters $v(T)$, $w(T)$, $d(T)$ have the form: $f(T) = \frac{a}{(T^b + c)^d} \cdot (T + e)$,

❑ from IQCD $\frac{I(T)}{T^4} = e^{-h_1/t - h_2/t^2} \left[h_0 + \frac{f_0 \cdot (f_1 \cdot t + f_2) + 1}{1 + g_1 \cdot t + g_2 \cdot t^2} \right]$ with $t = T/(200 \text{ MeV})$



$$\frac{p(T, \mu)}{T^4} = \int_0^T \frac{dT'}{T'} \frac{I(T', \mu)}{T'^4} \rightarrow \frac{s(T, \mu)}{s_{SB}} = \frac{s(T, \mu)}{19/9 \pi^2 T^3} = \frac{I(T, \mu)/T^4 + 4p(T, \mu)/T^4}{19 \pi^2/9} \rightarrow g^2(T/T_c)$$



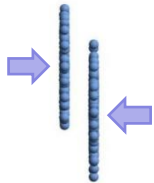
Parton-Hadron-String-Dynamics (PHSD)



PHSD is a **non-equilibrium microscopic transport approach** for the description of **strongly-interacting hadronic and partonic matter** created in heavy-ion collisions

Dynamics: based on the solution of **generalized off-shell transport equations** derived from Kadanoff-Baym many-body theory

Initial A+A collision

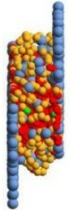


□ **Initial A+A collisions** :
 $N+N \rightarrow$ **string formation** \rightarrow decay to pre-hadrons + leading hadrons

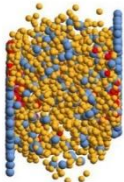
□ **Formation of QGP stage** if local $\varepsilon > \varepsilon_{\text{critical}}$:
 dissolution of **pre-hadrons** \rightarrow partons

□ **Partonic phase - QGP:**
 QGP is described by the **Dynamical QuasiParticle Model (DQPM)** matched to reproduce **lattice QCD EoS** for finite T and μ_B (crossover)

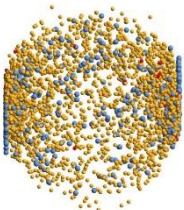
Partonic phase



Hadronization



Hadronic phase



- **Degrees-of-freedom:** strongly interacting quasiparticles: **massive quarks and gluons (g, q, q_{bar})** with sizeable collisional widths in a self-generated mean-field potential
- **Interactions:** (quasi-)elastic and inelastic collisions of partons

□ **Hadronization** to colorless **off-shell mesons and baryons:**
 Strict 4-momentum and quantum number conservation

□ **Hadronic phase:** **hadron-hadron interactions – off-shell HSD** including $n \leftrightarrow m$ selected reactions (for strangeness, anti-baryons, deuteron production)

