

In-medium effects on hidden strangeness production in heavy-ion collisions

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1. Introduction

- Strangeness is a produced flavor in nuclear collisions
- Strangeness production is enhanced in A+A collisions, compared to p+p collisions
- One example is sub-threshold production of strangeness in A+A collisions by the help of **multistep reactions** & **in-medium modification of hadron properties**, which are absent in p+p collisions
- The strangeness enhancement in A+A collisions at high energy has been suggested as one of QGP signals
- This enhancement is seen not only in open strangeness but also in hidden strangeness (Φ meson)

- In this study we try to understand Φ production in heavy-ion collisions by taking into account **width broadening of Φ meson in medium** & **various $m+B$ scattering channels from T-matrix method** based on the effective chiral lagrangian.
- For the purpose we implement both effects in the **PHSD (Parton-Hadron-String Dynamics)**

2. In-medium modification of Φ meson

mass shift

width broadening

mass shift + width broadening

$$\Gamma_V^*(M, |\vec{p}|, \rho_N) = \Gamma_V(M) + \Gamma_{coll}(M, |\vec{p}|, \rho_N).$$

- **Vacuum width** contributed from $\Phi \rightarrow 3\pi$ and $\Phi \rightarrow K + K\bar{K}$

$$\Gamma_\phi(M) \simeq \Gamma_{\phi \rightarrow \rho\pi(3\pi)}^{exp} \frac{\Gamma_{\phi \rightarrow \rho\pi(3\pi)}(M)}{\Gamma_{\phi \rightarrow \rho\pi(3\pi)}(M_0)}$$

$$+ \Gamma_{\phi \rightarrow K\bar{K}}^{exp} \left(\frac{M_0}{M}\right)^2 \left(\frac{q}{q_0}\right)^3 \theta(M - 2m_K),$$

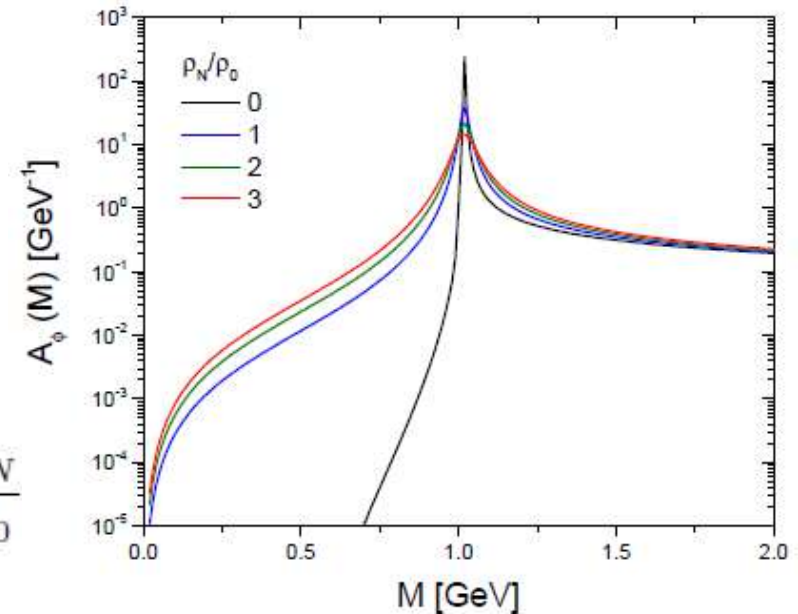
- **Collisional width**

$$\Gamma_{coll}(M, |\vec{p}|, \rho_N) = \gamma \rho_N \langle v \sigma_{VN}^{tot} \rangle \approx \alpha_{coll} \frac{\rho_N}{\rho_0}$$

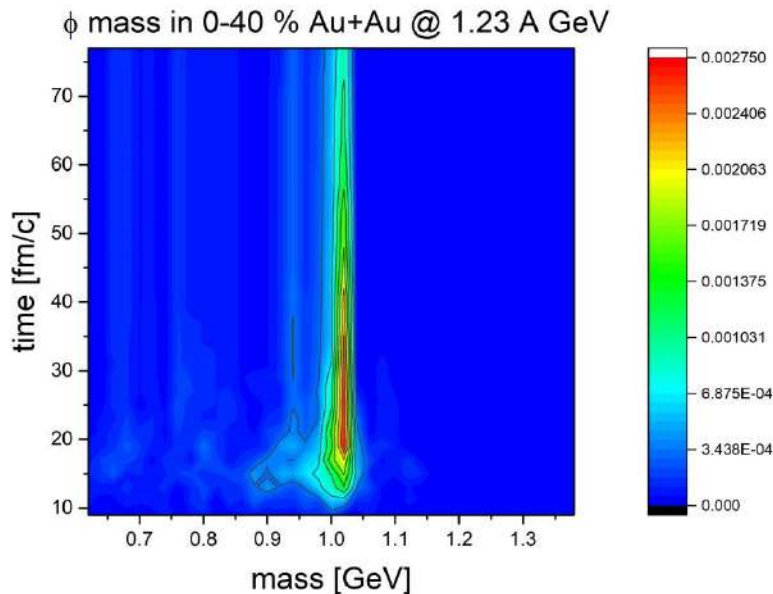
$\alpha_{coll} = 13.5$ MeV from KEK E325

$\alpha_{coll} < 40$ MeV from hadronic models

We take **25 MeV**



The propagation of off-shell Φ meson in medium



$$\frac{dM_i^2}{dt} = \frac{M_i^2 - M_0^2}{\tilde{\Gamma}_{(i)}} \frac{d\tilde{\Gamma}_{(i)}}{dt}$$

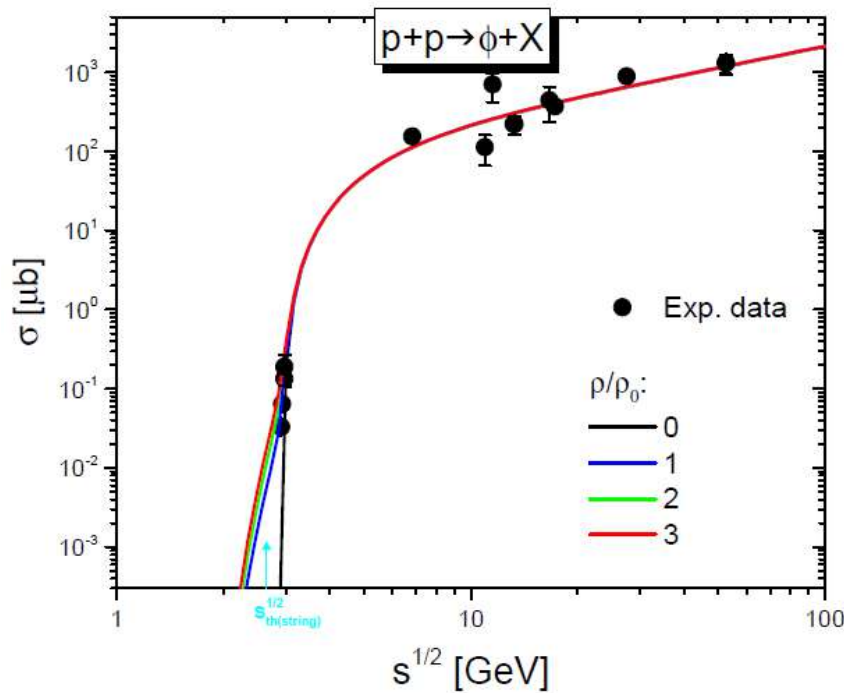
- M_0 : pole mass of Φ
- M_i : in-medium mass of Φ
- Γ : spectral width

If $M_i < M_0$, M_i increases toward M_0
 If $M_i > M_0$, M_i decreases toward M_0
Finally, M_i converges to the vacuum mass

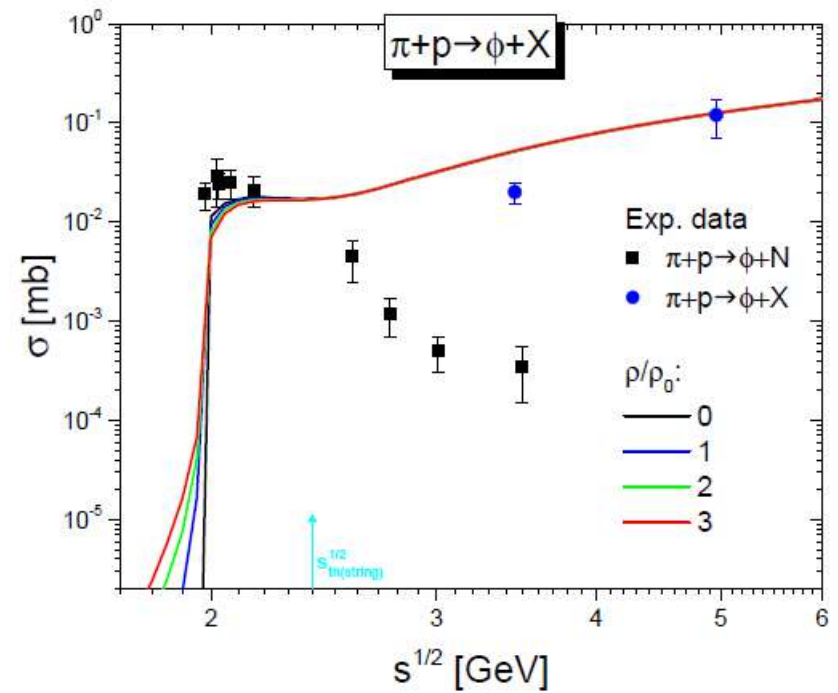
In-medium cross section for Φ production

$$\sigma_{NN \rightarrow VNN}(s, \rho) = \frac{\int_{M_{min}}^{M_{max}} A_V(M, \rho) \sigma_{NN \rightarrow VNN}^0(s, M, \rho) dM}{\int_{M_{min}}^{M_{lim}} A_V(M, \rho) dM}$$

$p+p \rightarrow \Phi + X$



$\pi+p \rightarrow \Phi + X$



Φ spectral function

Width broadening of Φ meson lowers the threshold energy for Φ production

3. T-matrix for Φ meson production

- From SU(3) Chiral Lagrangian

arXiv:1104.2737 D. Gamermann

$$V_{ij}^{SIJ} = \varepsilon_{ij}^{SIJ} \frac{2\sqrt{s} - M_i - M_j}{4f_i f_j} \sqrt{\frac{E_i + M_i}{2M_i}} \sqrt{\frac{E_j + M_j}{2M_j}}$$

ε_{ij}^{SIJ} : coefficient as a function of total strangeness(S), total isospin(I), total angular momentum(J) with initial meson-baryon state(i) and final meson-baryon state(j)

For $S=0, I_3=1/2$, $i, j =$
 $\eta N, K\Lambda, K\Sigma, \rho N, K\Sigma^*, \rho\Delta,$
 $K^*\Lambda, K^*\Sigma, K^*\Sigma^* \rightarrow \phi N,$

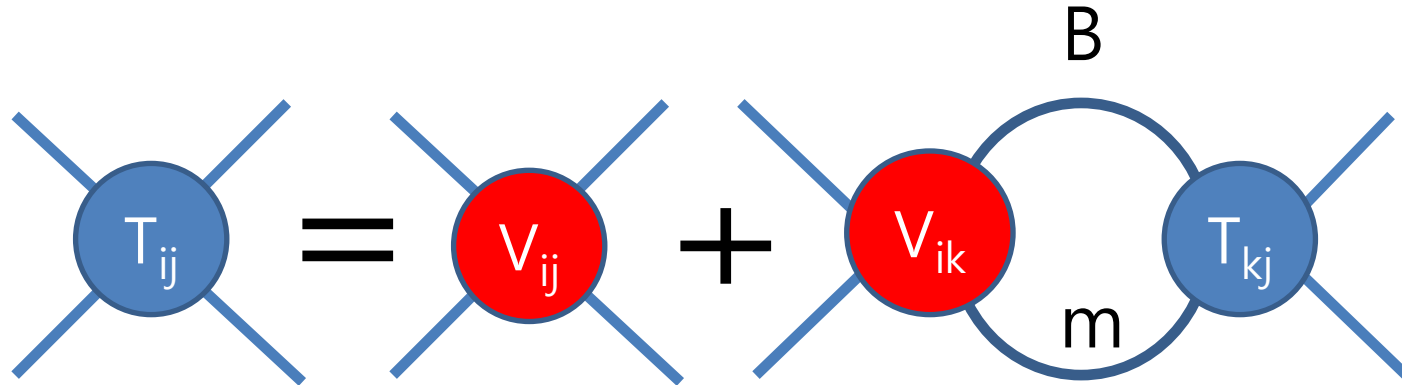
For $S=0, I_3=3/2$, $i, j =$
 $K\Sigma, \rho N, \eta\Delta, K\Sigma^*, \rho\Delta,$
 $K^*\Sigma, K^*\Sigma^* \rightarrow \phi\Delta$

E_i (E_j): incoming (outgoing) baryon energy in c.m. frame

M_i (M_j): incoming (outgoing) baryon mass

f_i (f_j): decay constant of incoming (outgoing) meson

Self-consistent unitarization



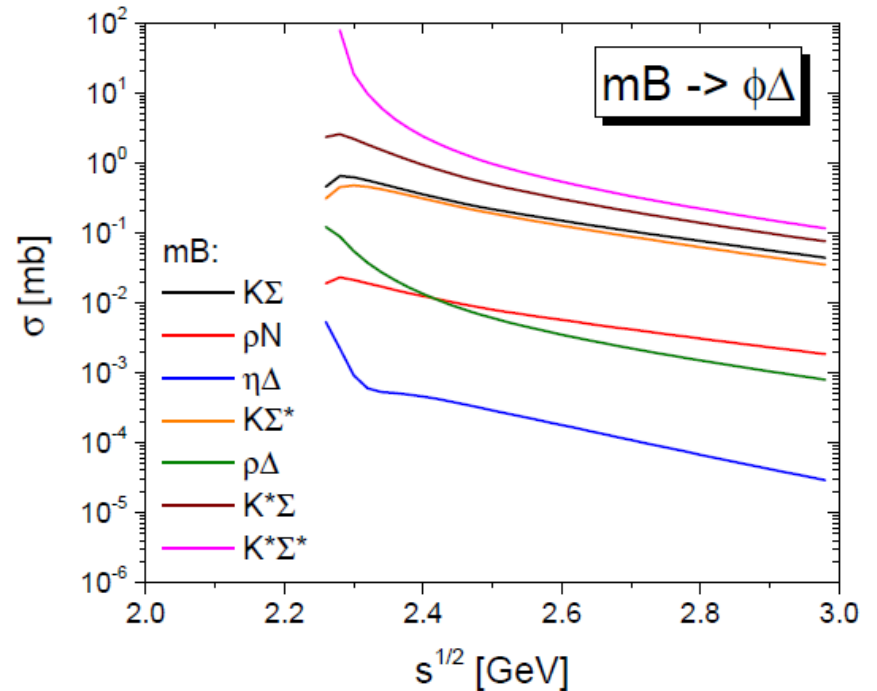
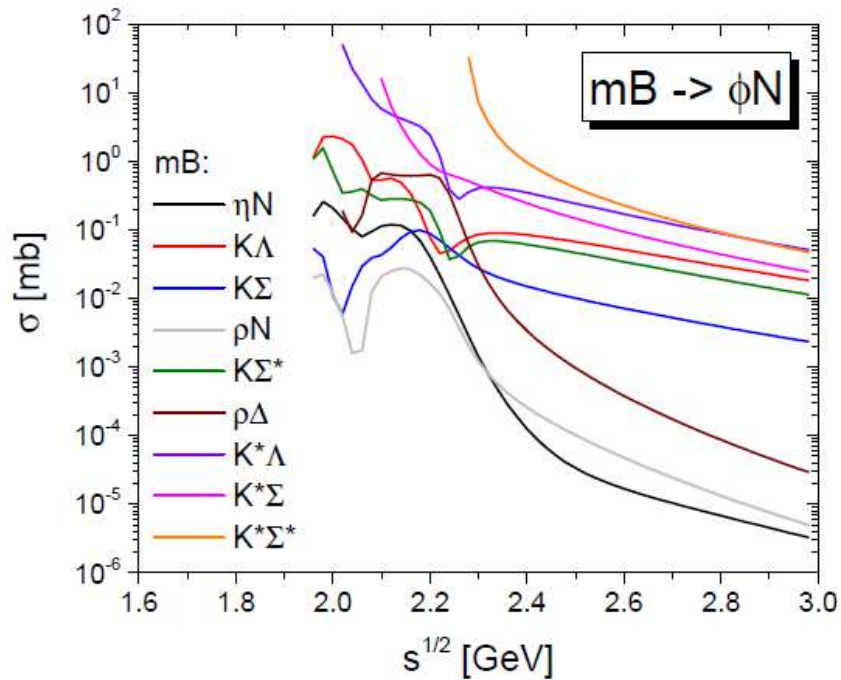
$$T_{ij}^{SIJ} = V_{ij}^{SIJ} + V_{ik}^{SIJ} G_{kk}^{SIJ} T_{kj}^{SIJ}$$

G_{kk}^{SIJ} : : baryon and meson propagators renormalized
 at $G_{kk}^{SIJ}(s = m_N^2 + m_\pi^2) = 0$

$$T_{ij}^{SIJ} = (1 - V_{ij}^{SIJ} G_{ik}^{SIJ})^{-1} V_{kj}^{SIJ}$$

where $1_{jk} = \delta_{jk}$.

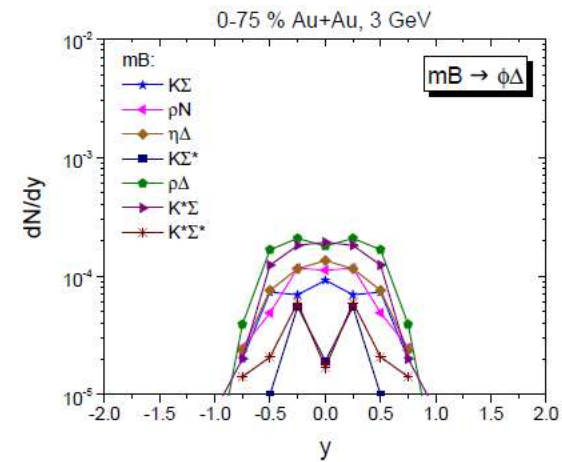
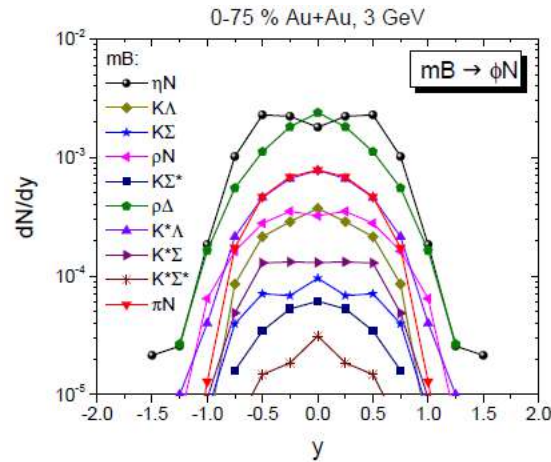
Scattering cross sections for Φ production



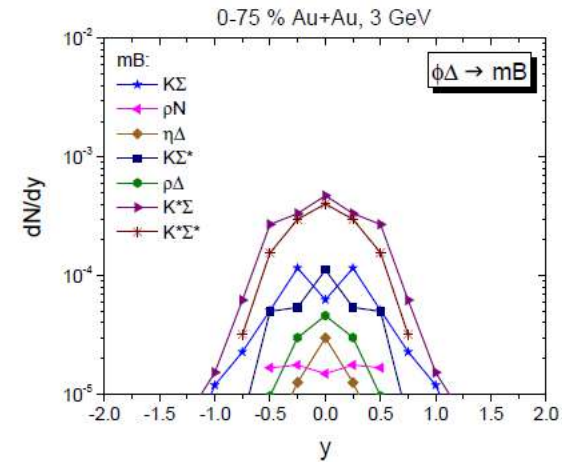
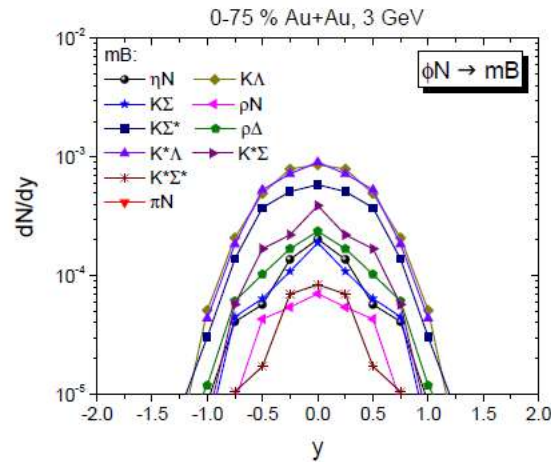
Scattering cross sections for Φ absorption are realized through the detailed balance

y-distribution of Φ production & absorption in Au+Au collisions at 3 GeV

production



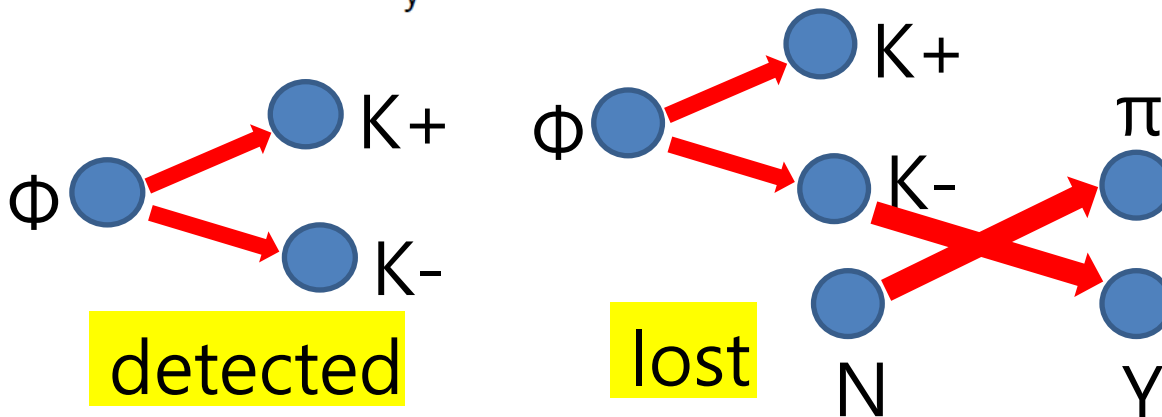
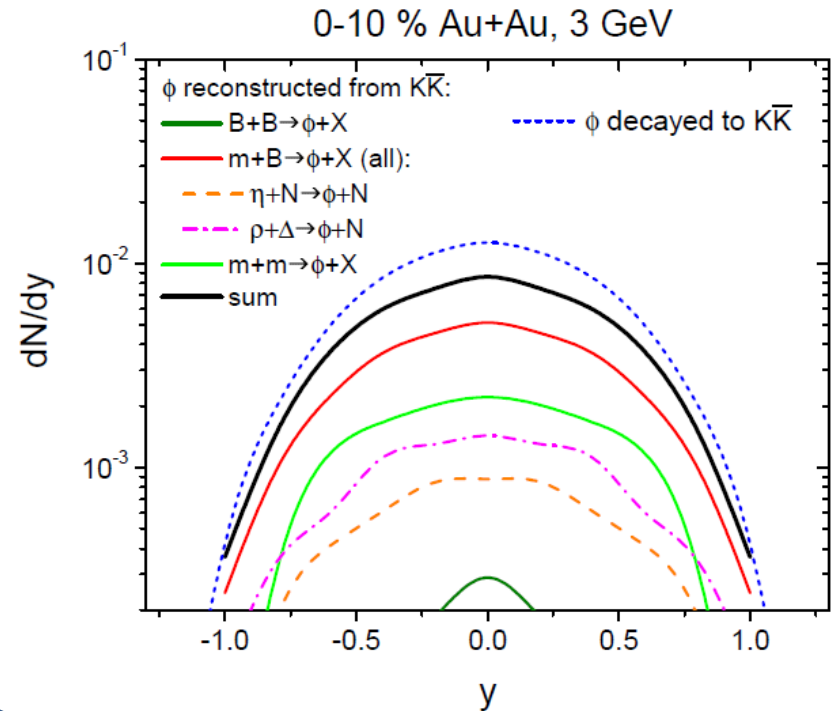
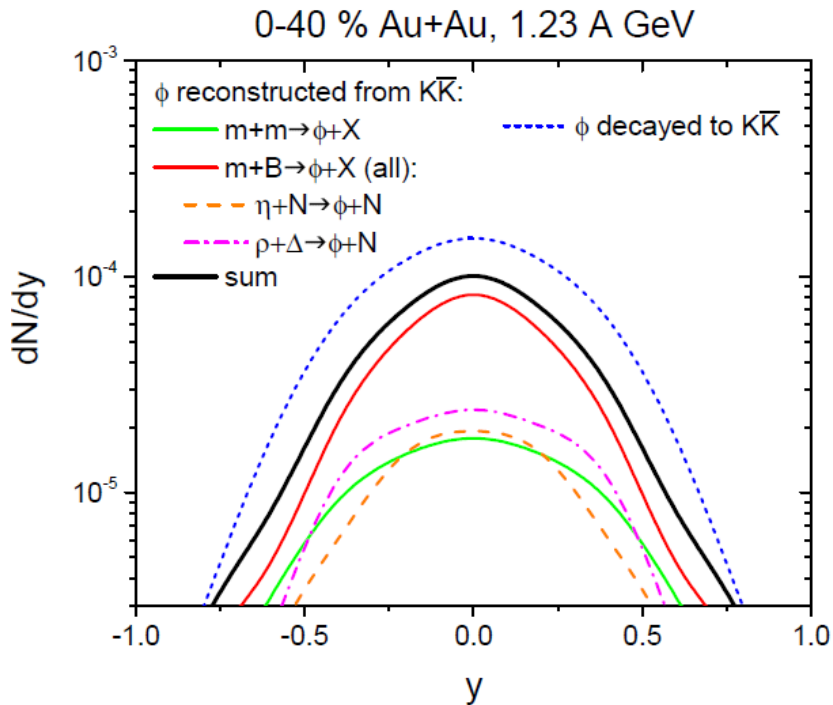
absorption



Most dominant production channels are $\eta+N \rightarrow \Phi+N$ / $\rho+\Delta \rightarrow \Phi+N$

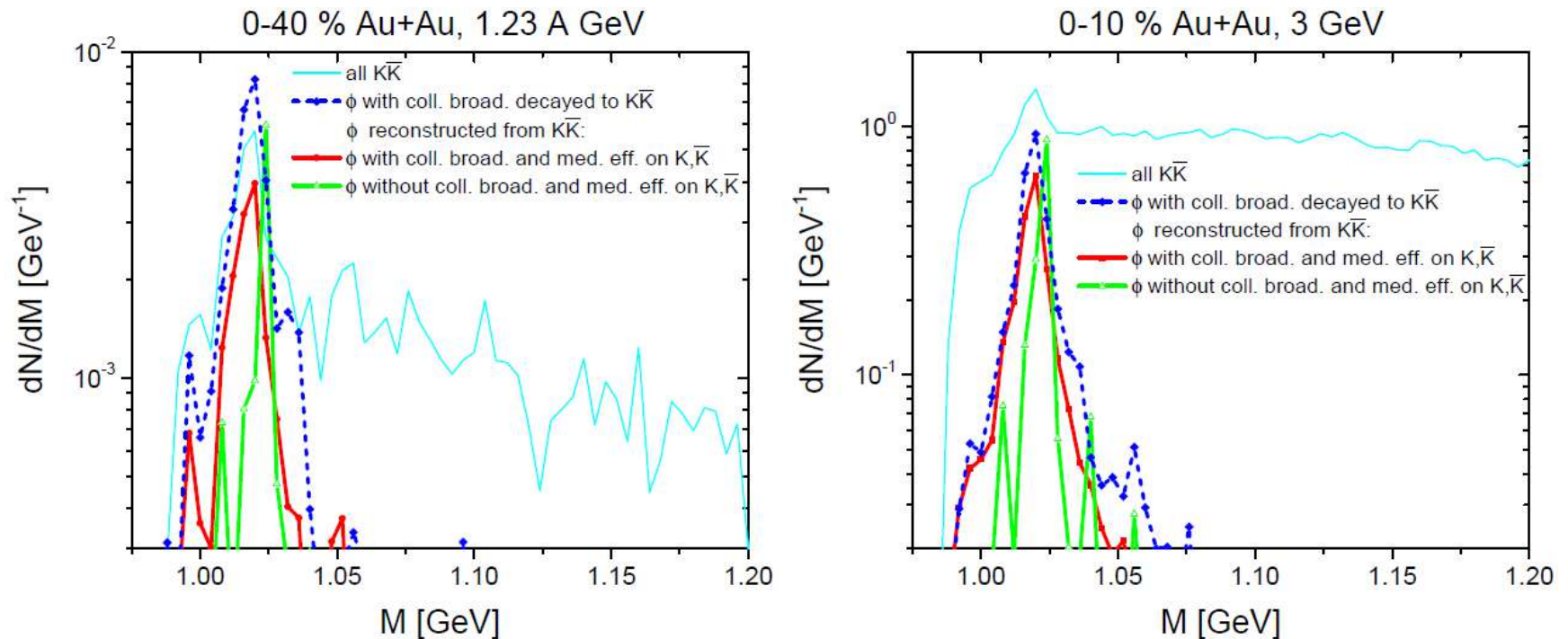
4. Φ meson production in A+A collisions

Reconstructed Φ meson as a function of rapidity



About 30-40 % of Φ are lost by secondary inelastic scattering

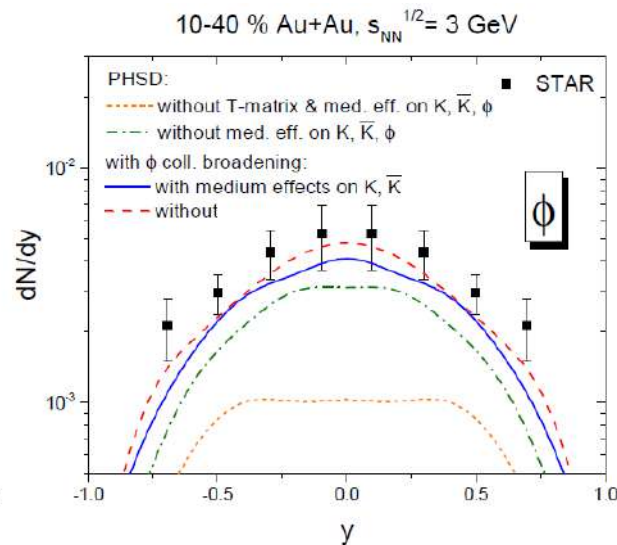
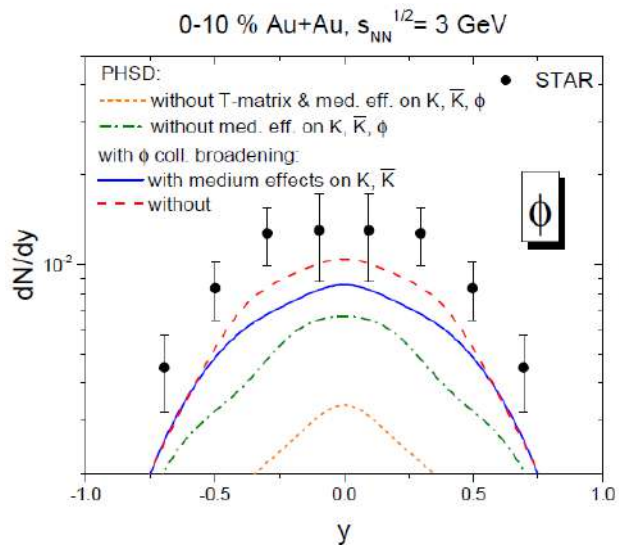
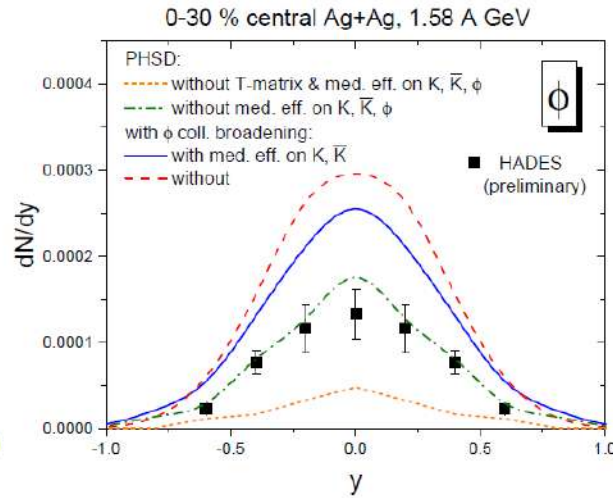
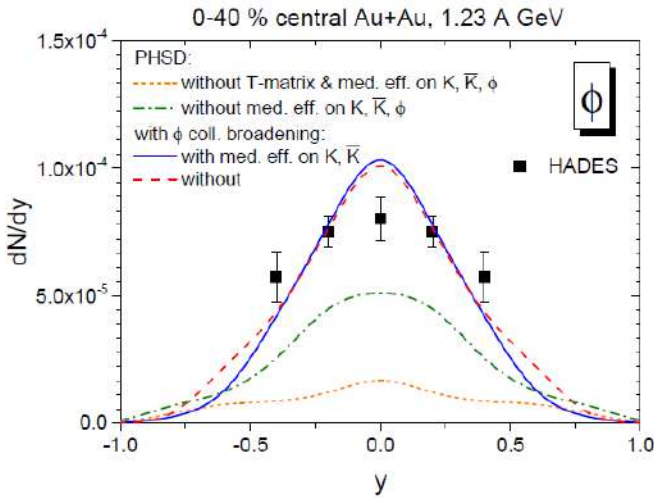
Reconstructed Φ meson as a function of invariant mass



Difference between **Red** & **Blue**: lost Φ meson due to rescattering

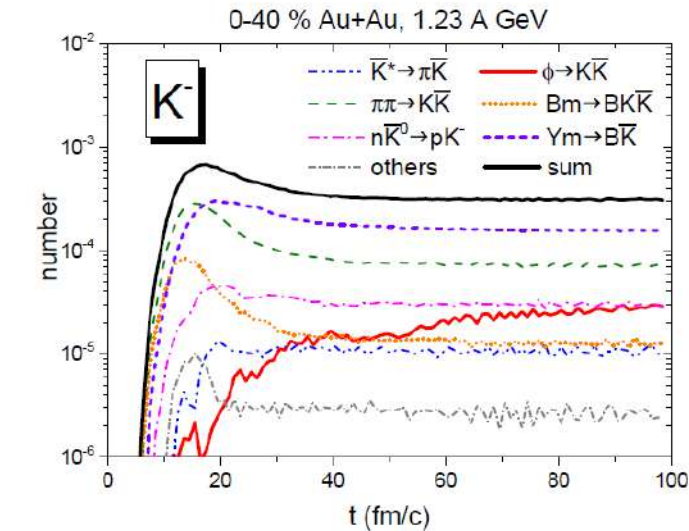
Difference between **Red** & **Green**: with/without width broadening

Comparison with experimental data

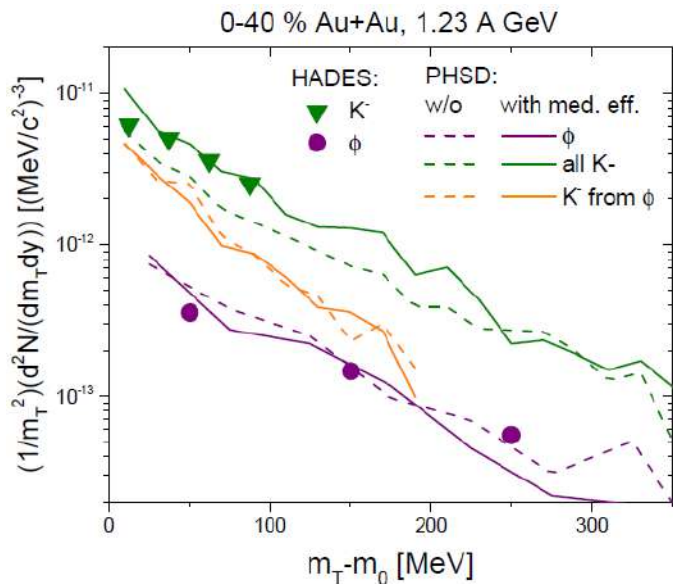


Orange: without T-matrix, width broadening
Green: with T-matrix but without width broadening
Red: with T-matrix, width broadening but without Med. Eff. on K, \bar{K}
Blue: all included

Effects of Φ production on K & Kbar

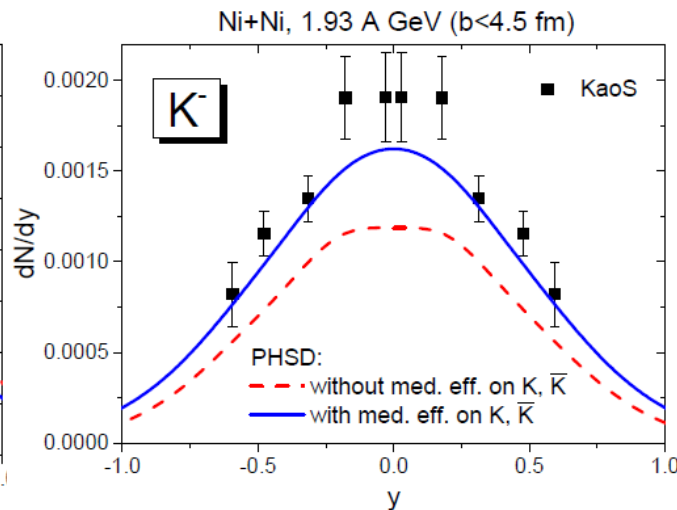
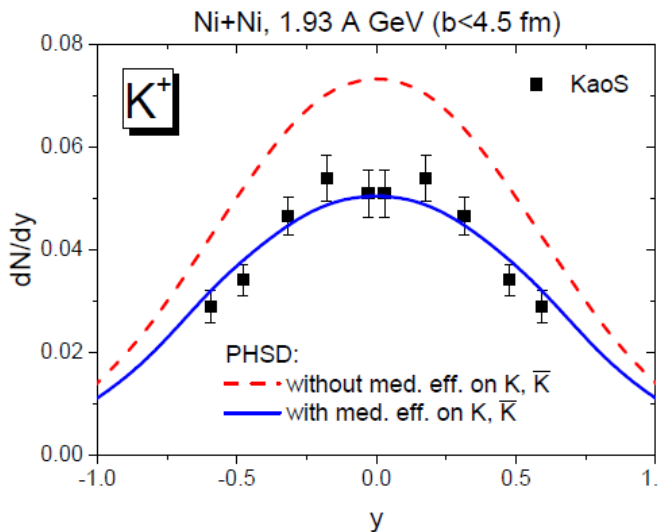
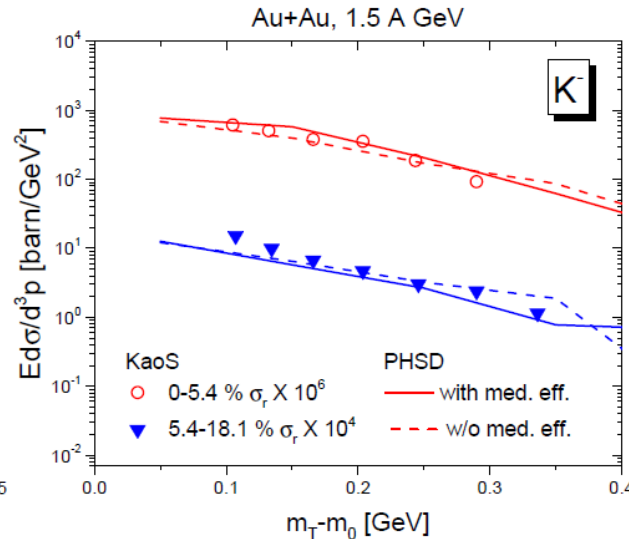
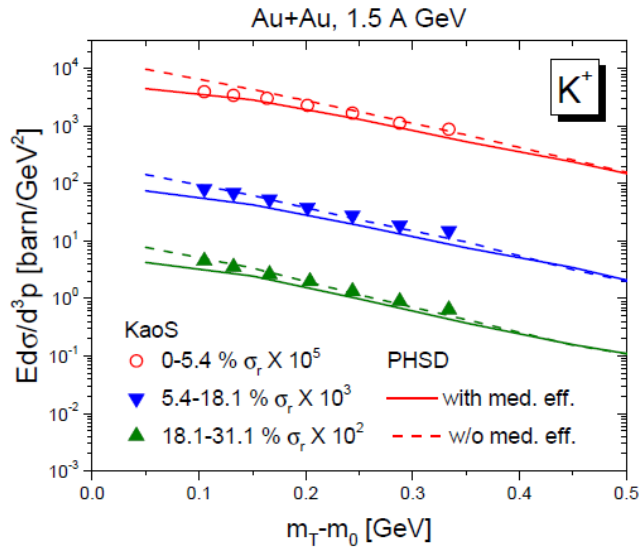


- Since $\text{Br}(\Phi \rightarrow K^+ K^-) \sim 49\%$, Φ production affects especially K^- .
- About 20 % of Φ meson do not decay till $t=100$ fm/c.



- The spectrum of K^- from Φ decay (**orange**) is softer than that of all K^- .
- One possible explanation for the softening of K^- . However, ...

However, we still need Med. Eff. on K and Kbar to explain experimental data to explain experimental data

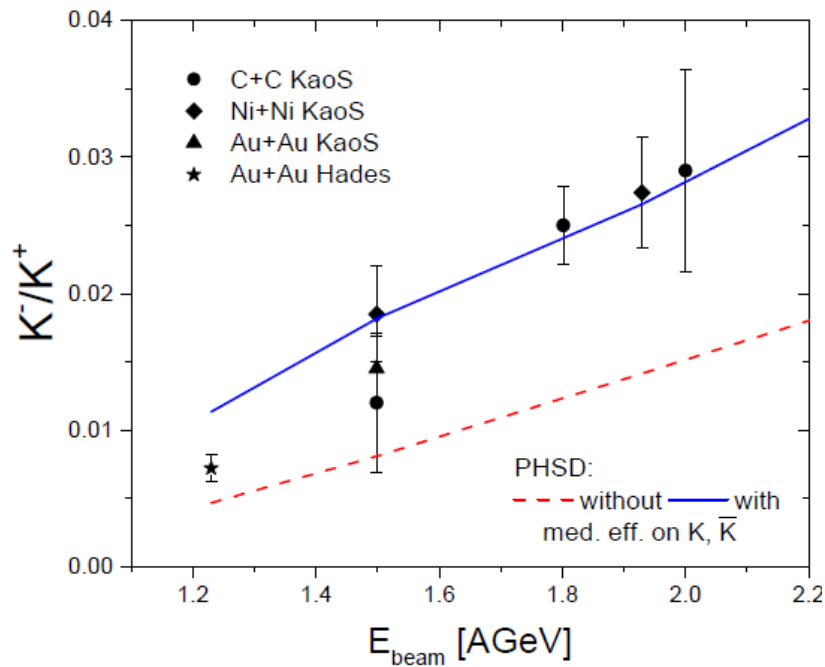


Medium effects suppress K^+ production and harden its spectrum.

On the contrary, they enhance K^- production and soften its spectrum

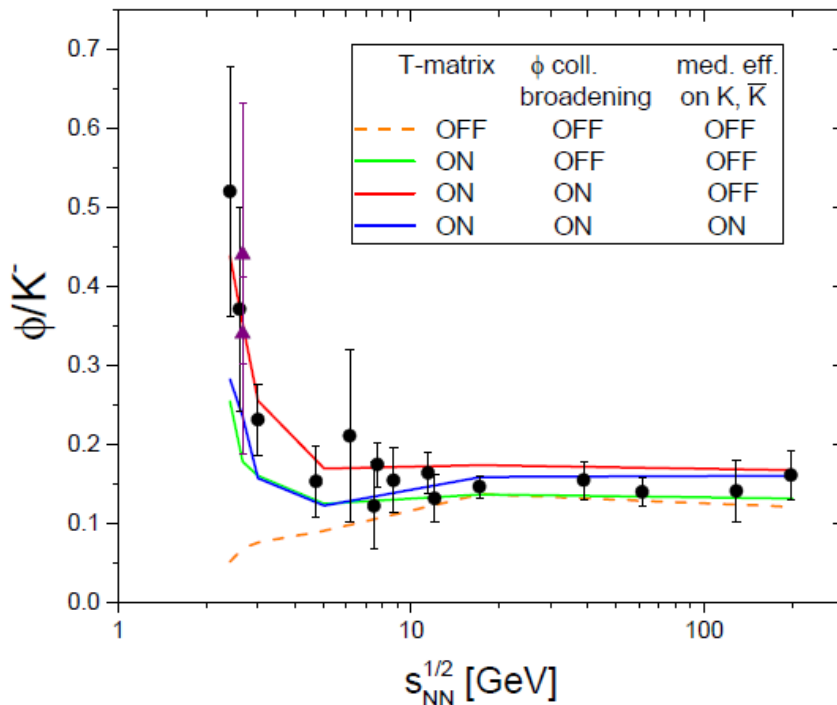
Song, PRC103 (2021) 4, 044901;
arXiv:2205.10251

K^-/K^+ ratio



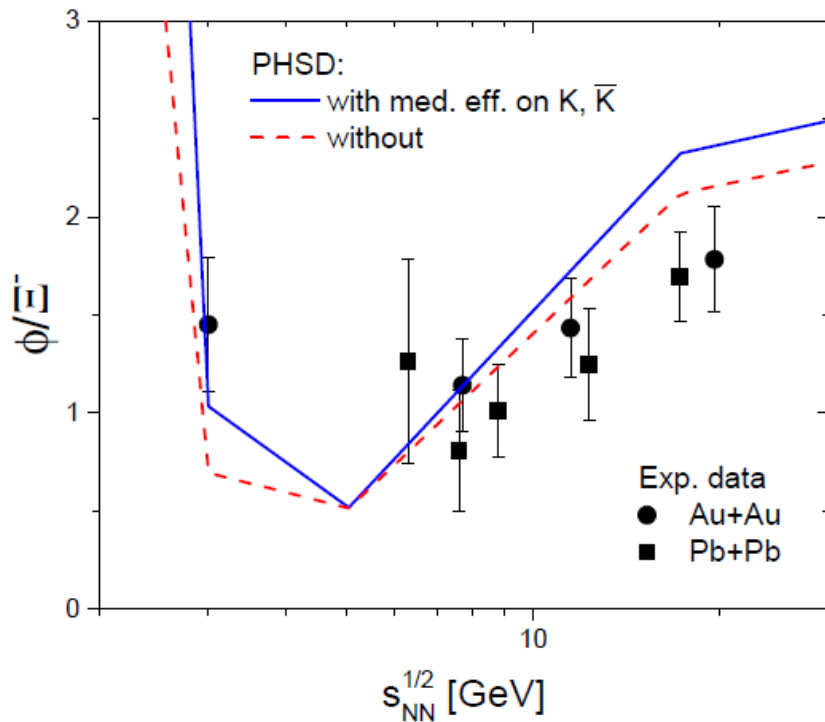
- Med. Eff. on K & K^{bar} are necessary to explain K^-/K^+ ratio, since they enhance K^- and suppress K^+

Φ/K^- ratio



- **Orange:** without T-matrix & Φ broadening underestimate the ratio at low energies
- T-matrix (**green**), T-matrix & Φ broadening (**red**) enhance the ratio
- However, Med. Eff. on K, \bar{K} (**blue**) suppress it due to the enhanced K^- production
- At high energies the ratio is less sensitive, because dominant process for Φ production is hadronization

Φ/Ξ^- ratio



- Med. Eff. on K & Kbar do not affect the ratio.
- Both are consistent with Exp. Data.

5. Summary

- We have investigated the hidden (and open) strangeness production in heavy-ion collisions from subthreshold to very high energies within **Parton-Hadron-String Dynamics (PHSD)** transport approach with off-shell propagation based on Kadanoff-Baym Eq.
- We can explain the experimental data on Φ production in heavy-ion collisions, if
 1. more production channels from meson+baryon scattering are included, based on T-matrix calculations from SU(3) effective Chiral Lagrangian,
 2. and are introduced the collisional broadening of Φ meson width in nuclear medium
 3. as well as the medium effects on kaon and anti-kaon.

Thank you for your attention!